

AMPLIFIER

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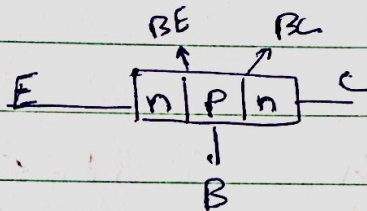
Transistor

- ⇒ Types :
- ① Bipolar junction transistor (BJT)
 - ② Field Effect transistor (FET)

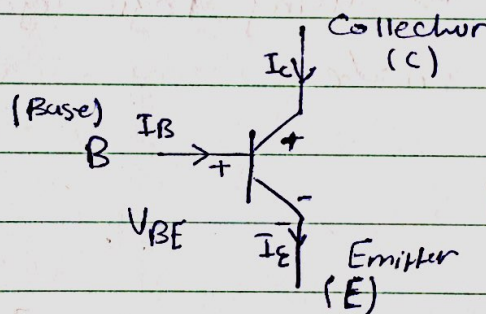
BJT :

- npn BJT
- pnp BJT

npn BJT :



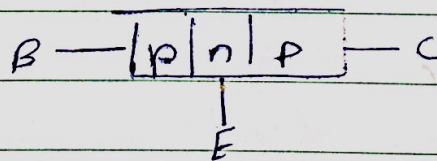
- p-type material :-
تركيز ال holes
من تركيز ال elec



- n-type material:
تركيز ال elec
من تركيز ال holes

* يجب اعمل من صوم
المقاومة لذلك اصبنا

pnp BJT :-



نتم استخدام ال transi
بدلاً من المقاومة

We will study :-

passive load → Resis ..

these topics from elect 1)

active load → Transi ..

① mode of operation

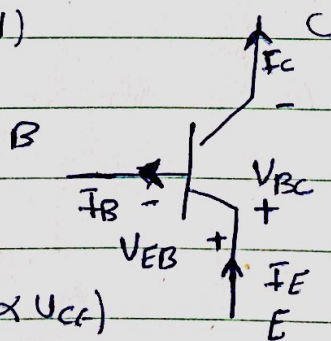
② Q-point values

(I_{BQ}, I_{CQ}, V_{CEQ})

③ DC Load line ($I_C \propto V_{CC}$)

④ Biasing

⑤ $V_o \propto V_f$



Modes of operation for BJT

دردی د ب جی بی -

① Forward-active mode

FW Active Amplifier

BE is Forward

BC is Reverse

Application :- Amplifier $\Rightarrow (I_c = \beta I_B)$

② Saturation mode

BE is Forward

BC is Forward

Application :- Switch $\Rightarrow (I_c \leq \beta I_B)$

\rightarrow using logic gate

③ Inverse-active mode

BE is Reverse

BC is Forward \Rightarrow

④ cutoff mode

BE is Reverse

BC is S

Application :- switch

$$I_c = I_B = I_E = 0 A$$

How to find the mode of operation

⇒ Step 1 :- assume Forward - active mode

$$\text{set :- } V_{BE} = V_{BE(ON)} = 0.7 \text{ V}$$
$$(I_C = \beta I_B)$$

⇒ Step 2 :- Input Loop : find $I_B \rightarrow V_{BE}$ is fixed

⇒ Step 3 :- $I_C = \beta I_B$

⇒ Step 4 :- output Loop : find $V_{CE} \rightarrow V_{CE}$ is fixed

⇒ Step 5 :- check if $V_{CE} > V_{CE(set)}$, then our assumption
 \downarrow
0.2 or 0.3 V is correct

otherwise,

⇒ Step 6 :- Assume Saturation mode

$$\text{Set :- } V_{BE} = V_{BE(ON)}$$

$$V_{CE} = V_{CE(set)}$$

⇒ Step 7 :- Input loop :- find I_B

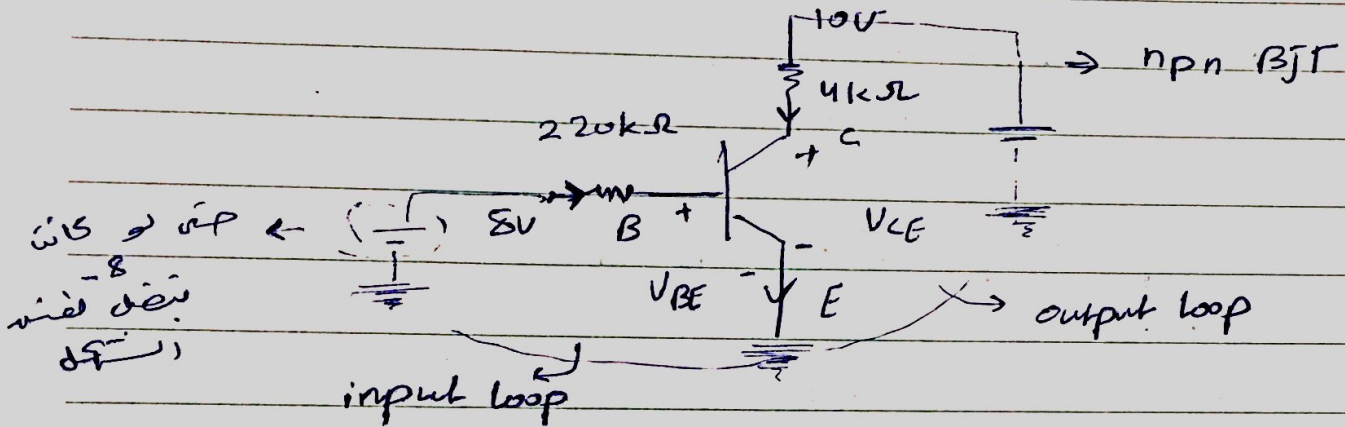
⇒ Step 8 :- output loop :- find $I_C \rightarrow |I_C = \beta I_B|$ is not possible X

⇒ Step 9 :- check if $I_C < \beta I_B$, then Saturation mode.

otherwise,

cut off mode.

Ex:- Find the mode of operation. Given. $V_{BE(on)} = 0.7V$, $\beta = 100$, $V_{CE} = 0.2V$



⇒ assume F.W mode :-

$$-8 + 220 I_B + 0.7 = 0$$

$m \downarrow I_B \uparrow$ is less than $I_{B(sat)}$

$$I_B = 32.2 \mu A$$

$$\Rightarrow I_C = \beta I_B = 3.32 \text{ mA}$$

$$\Rightarrow -10 + 4 I_C + V_{CE} = 0$$

$$V_{CE} = -3.28 \text{ V}$$

check ⇒ $-3.28 \overset{??}{>} V_{CE(sat)} \Rightarrow \text{No} \Rightarrow$ لا يقع في المنطقة الخطية
Amplifier operation

⇒ assume saturation mode

$$I_{IP \text{ Loop}} : I_B = 33.2 \mu A$$

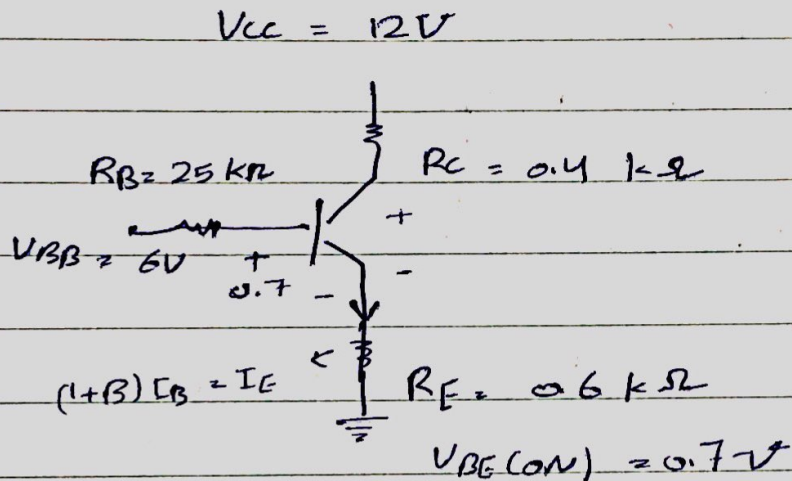
$$OIP \text{ Loop} : -10 + 4 I_C + 0.2 = 0$$

$$I_C = 2.45 \text{ mA} < \beta I_B \Rightarrow \text{yes! ; Saturation mode}$$

\downarrow
3.32 mA

$$-8 + 220 I_B + 0.7 + 2 \underbrace{I_E}_{(1+B)I_B} = 0$$

Ex: Q-point values and DC load line.



Given: $B = 75$

Find ① the Q-point values $\Rightarrow I_{BQ}, I_{CQ}, V_{CEQ}$
 ② the DC Load Line

① input loop: $-6 + 25 I_B + 0.7 + 0.6 (1+B) I_B = 0$

$$I_B = 75.1 \mu A$$

$$I_C = B I_B = 5.63 \text{ mA}$$

output loop $-12 + 0.4 I_C + V_{CE} + 0.6 (1+B) I_B = 0$

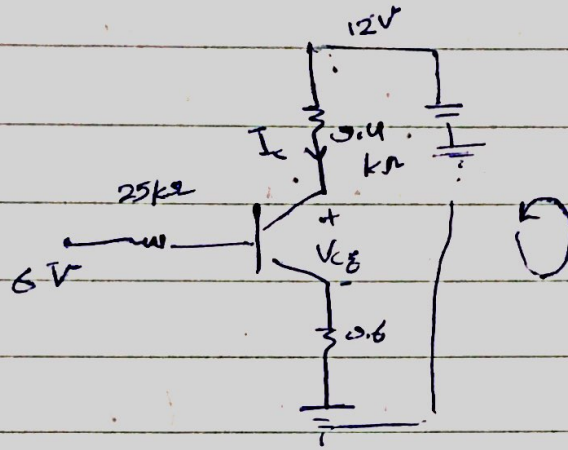
$$V_{CE} = 6.32V > V_{CE(sat)}$$

Yes \Rightarrow F.W mode $\Rightarrow I_{BQ} = 75.1 \mu A$

$$I_{CQ} = 5.63 \text{ mA}$$

$$V_{CEQ} = 6.32V$$

②



Dc load line $I_C \propto V_{CE}$

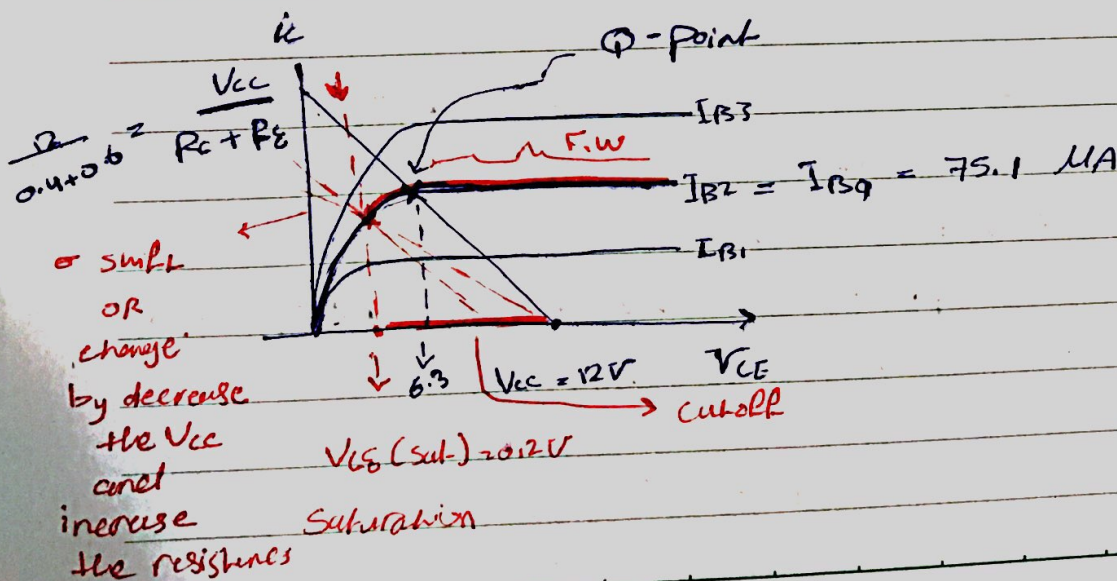
$$-12 + 0.4 I_C + V_{CE} + (1 + \beta) \frac{I_B}{\beta}$$

$$I_C \left[0.4 + 0.6 \frac{(1 + \beta)}{\beta} \right] - 12 + V_{CE} = 0$$

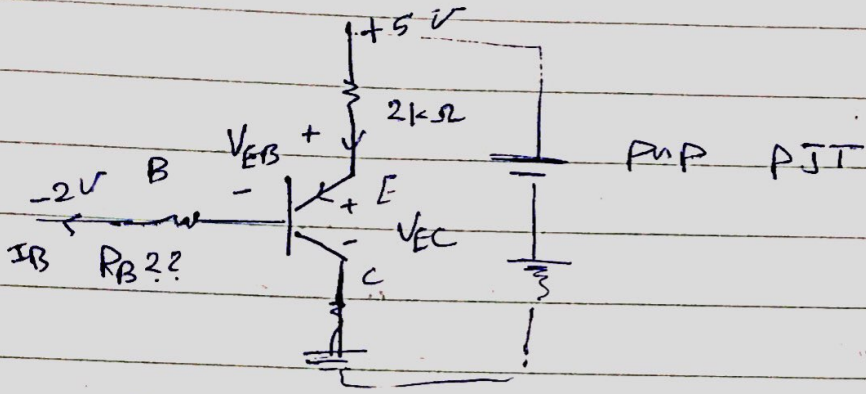
$$I_C = \frac{12}{\frac{0.4 + 0.6}{R_C} + \frac{0.4 + 0.6}{R_E}} - \frac{V_{CE}}{\frac{0.4 + 0.6}{R_C} + \frac{0.4 + 0.6}{R_E}}$$

← Dc load line

$$\text{Slope} = \frac{-1}{R_C + R_E}$$



Ex



Given $\beta = 60$, $V_{EB} = 0.7 \text{ V}$

$V_{EC(sat)} = 0.2 \text{ V}$, $V_{ECQ} = 2.5 \text{ V}$

\leftrightarrow F.W $\rightarrow V_{ECQ} > V_{EC(sat)} \rightarrow$ F.W

- ① Find R_B
- ② Find the power dissipated by the transistor

①

\Rightarrow output loop :- $-5 + 2I_E + \frac{V_{EC}}{2.5} = 0$

$\Rightarrow I_{EQ} = 1.25 \text{ mA}$

$\Rightarrow I_B = \frac{I_{EQ}}{1+\beta} = 0.0205 \text{ mA}$

input loop
 V_{EB} is given

\Rightarrow Input loop :-

$-5 + 2I_E + 0.7 + I_B R_B - 2 = 0$

$R_B = 125 \text{ k}\Omega$

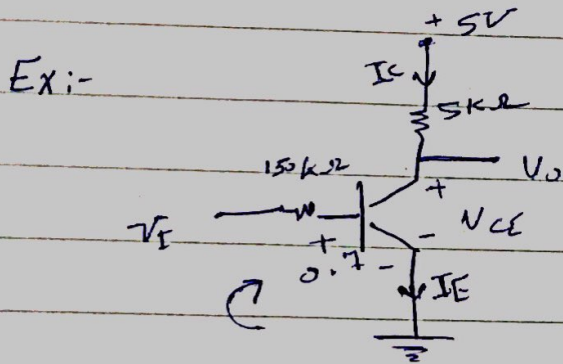
② $P_T = I_C V_{CE} + I_B V_{BE}$
Very small

$V_{CE} + V_{CB} - V_{EB} = 0$
 $2.5 \quad \quad \quad 0.7$

$V_{CB} = -1.8$

$P_T \approx I_C V_{CE} = 3.075 \text{ mW}$

$V_o \propto V_i$



Prove $V_o \propto V_i$

$$\beta = 120, V_{BE(on)} = 0.7 \text{ V}$$

$$V_{CE(sat)} = 0.2 \text{ V}$$

$$\Rightarrow \text{cutoff} \Rightarrow I_C = I_B = I_E = 0 \text{ A} \Rightarrow V_o = 5 \text{ V}$$

$$\Rightarrow \text{Saturation} \Rightarrow V_{CE} = V_{CE(sat)} = 0.2 \text{ V} \Rightarrow V_o = V_{CE(sat)} = 0.2 \text{ V}$$

$$\Rightarrow \text{F.W} \Rightarrow I_C = \beta I_B$$

$$-5 + 5I_C + V_o = 0$$

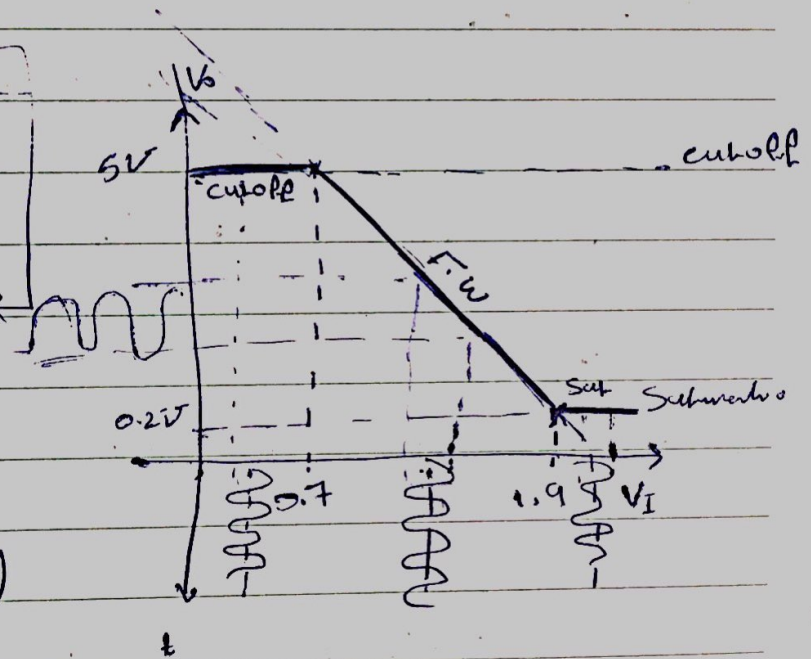
$$I_C = \frac{5 - V_o}{5}$$

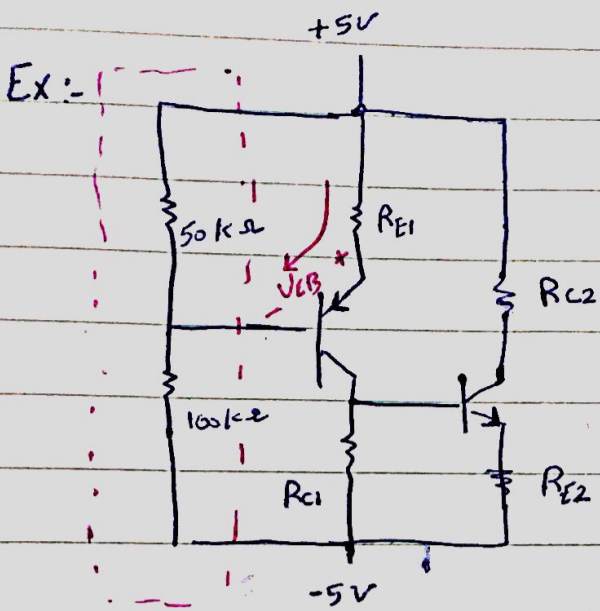
$$-V_i + 150I_B + 0.7 = 0$$

$$I_B = \frac{V_i - 0.7}{150}$$

$$\Rightarrow \frac{5 - V_o}{5} = \beta \left(\frac{V_i - 0.7}{150} \right)$$

$$V_o = \frac{5 - 120(V_i - 0.7)}{30} \text{ m-V} = \frac{5}{30} + \frac{120 \times 0.7}{30} - \frac{120}{30} \frac{V}{V}$$





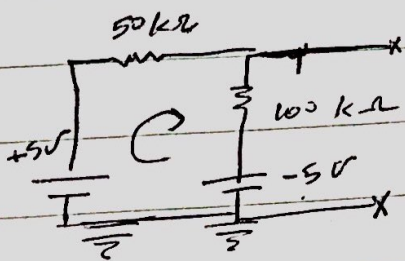
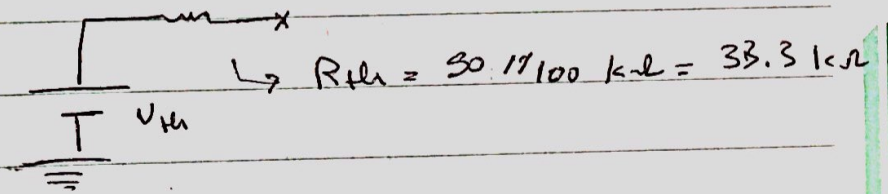
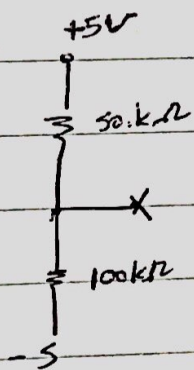
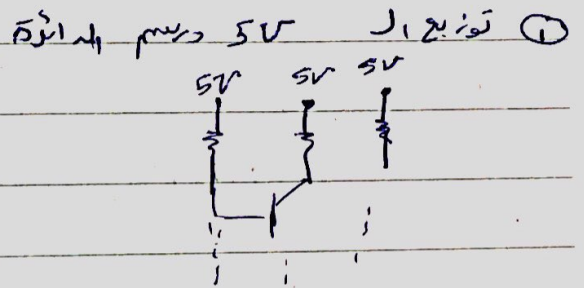
Given:- $\beta = 100$, $I_{C1} = I_{C2} = 0.8 \text{ mA}$

$$V_{EB, (ON)} = V_{BE, (ON)} = 0.7 \text{ V}$$

$$V_{EC1} = 3.5 \text{ V} > 0.2 \Rightarrow \text{F.W PNP } \textcircled{1}$$

$$V_{CE2} = 4 \text{ V} > 0.2 \Rightarrow \text{F.W NPN } \textcircled{2}$$

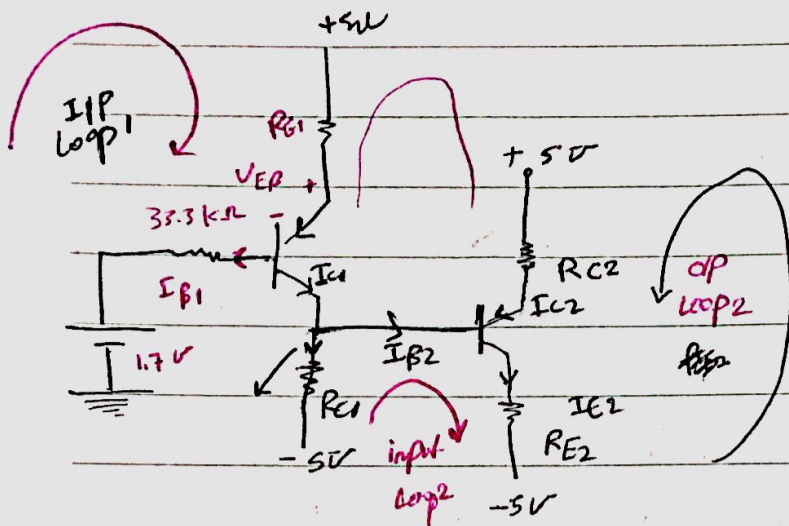
Find R_{C1} , R_{E1} , R_{C2} , R_{E2}



$$-5 + 50I + 100I - 5 = 0$$

$$I = \frac{10 \text{ mA}}{150}$$

$$V_{th} = -5 + 100 \times \frac{10}{150} = 1.7 \text{ V}$$



$$I_{B1} = I_{B2} = \frac{I_{C1}}{\beta} = 8 \text{ mA}$$

$$I_{E1} = I_{E2} = (1 + \beta) I_{B1} = 0.808 \text{ mA}$$

$$\text{IIP Loop 1} : -5 + I_{E1} R_{E1} + 0.7 + 33.3 \times 10^3 \times I_{B1} + 1.7 = 0$$

$$R_{E1} = 2.9 \text{ k}\Omega$$

$$\text{OP Loop 1} : -5 + I_{E1} R_{E1} + 3.5 + (I_{C1} - I_{B1}) R_{C1} - 5 = 0$$

$$R_{C1} = 5.215 \text{ k}\Omega$$

$$\text{IIP Loop 2} : -(-5) - R_{C1} (I_{C1} - I_{B2}) + 0.7 + R_{E2} I_{E2} - 5 = 0$$

$$R_{E2} = 4.25 \text{ k}\Omega$$

$$\text{OP Loop 2} : -5 + R_{C2} I_{C2} + 4 + R_{E2} I_{E2} - 5 = 0$$

$$R_{C2} = 3.8715 \text{ k}\Omega$$

Biasing:-

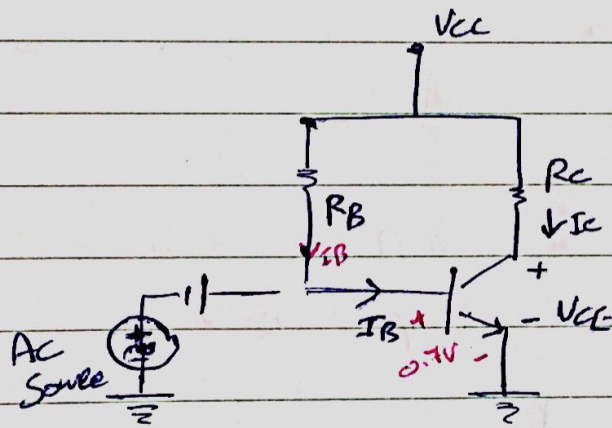
⇒ Biasing controls the mode of operation

Biasing = Connection of DC source to the circuit.

that will determine the values of I_{BQ} , I_{CQ} , V_{CEQ} (Q-point values)

- ⇒ Types of Biasing:
- ① Single base resistor biasing
 - ② Voltage divider Biasing.
 - ③ positive and negative biasing.

Single base resistor biasing:-



⇒ advantage :- simple (one resistor)

⇒ disadvantages:- ① high value of resistor ($M\Omega$)

② unstable Q-point (depends on β which is affected by Temp).

amplifier design and its load and its design

Ex: if $V_{CC} = 12V$, $I_{BQ} = 10\mu A$, $\beta = 100$, $V_{CEQ} = 6V$, $V_{BE(on)} = 0.7V$
 $V_{CC(sat)}$ من V_{BE} في V_{CC}

Find R_C and R_B

$$V_{CEQ} = \frac{V_{CC} + 0.2}{2}$$

$$\Rightarrow I_B = \frac{I_C}{\beta} = 10\mu A$$

$$\Rightarrow \text{IIP loop: } -12 + R_B I_B + 0.7 = 0 \Rightarrow R_B = 1.15 \text{ M}\Omega$$

← كبر مقدار R_B في هذا النوع عند V_{BE} Biasing

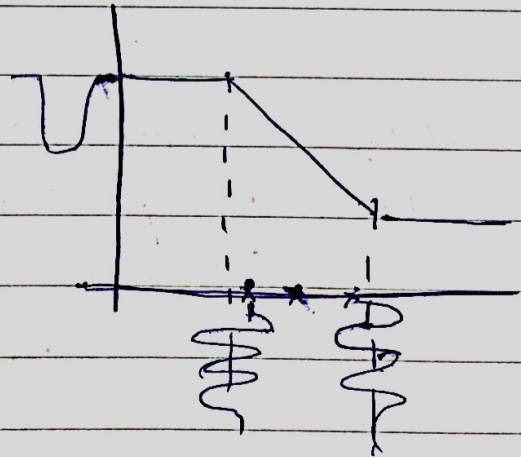
$$\Rightarrow \text{OIP loop: } -12 + I_C R_C + 6V = 0$$

$$R_C = 6 \text{ k}\Omega$$

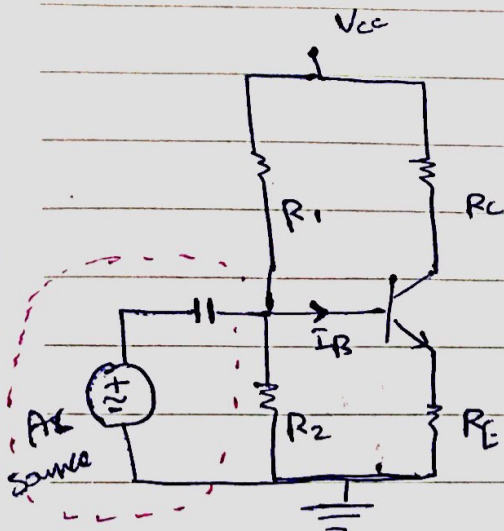
β	50	100	150
I_{BQ}	$10\mu A$	$10\mu A$	$10\mu A$
I_{CQ}	0.5 mA	1 mA	1.5 mA
V_{CEQ}	$9V$	$6V$	$3V$

← تغيير قيم β سيغير تغير Temperature

← تغيير قيم V_{CEQ} عند قيم V_{CEQ}



Voltage divider biasing :-



advantages ① Low values of R_1 ($\approx 10^3 \Omega$)

② Stable Q-point

I_{BQ}, V_{CEQ}, I_{CQ} are \leftarrow

Given

$\beta = 100$

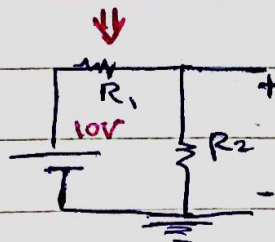
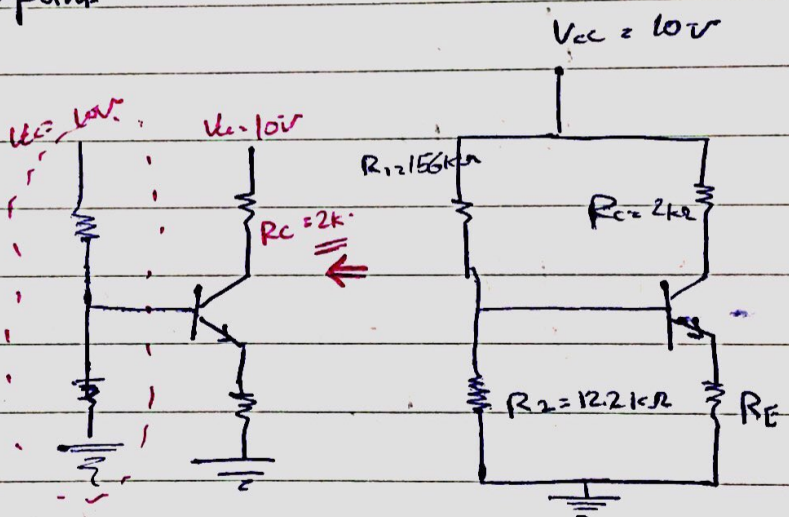
$V_{BE} = 0.7V$
(ov)

$V_{CE} = 0.2V$
(sat)

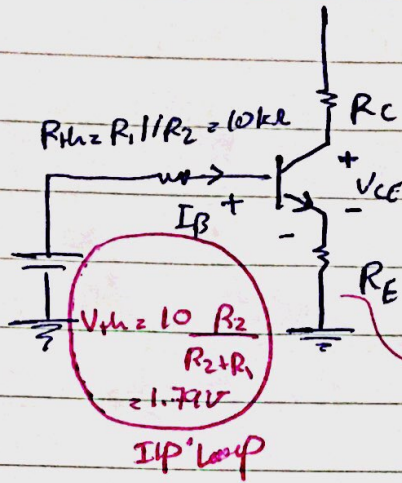
\rightarrow Find Q-point

Values

$R \rightarrow 10^3 \Omega$



⇒



For stable Q-point

$$I_P \text{ loop} \Rightarrow -1.71 + 10 I_B + 0.7 + (1+\beta) I_B R_E = 0$$

$$I_{BP} = \frac{V_{th} - 0.7}{R_{th} + (1+\beta) R_E} = \underline{2.16 \text{ mA}}$$

$$I_E = I_B + I_C$$

$$= I_B + \beta I_B$$

$$= I_B (1+\beta)$$

$$I_{CQ} = \beta I_B$$

$$= \frac{\beta (V_{th} - 0.7)}{R_{th} + (1+\beta) R_E} = 2.16 \text{ mA}$$

التيار المتدفق في الحمل
تقريباً كما يتدفق في I_{CQ}

⇒ OP Loop

$$-10 + I_C R_C + V_{CE} + R_E I_E = 0$$

$$\underline{V_{CEQ} = 4.81 \text{ V}} \approx \frac{10 + 0.2}{2}$$

حیثا داتا سائنا سو نوع ال Biasing فیہا سبب ال AC
 سائنا سو ایف ال RE ال Stability

Stable Q-point? $R_{th} = 0.1(1+\beta)R_E$

β	50	100	150
I_{BQ}	35.9 μA	21.6 μA	15.5 μA
I_{CQ}	1.8 mA	2.16 mA	2.32 mA
V_{CEQ}	5.67	4.81	4.4 V

→ $R_{th} = 0.1(1+\beta)R_E$
 → $R_{th} \ll (1+\beta)R_E \Rightarrow I_{CQ} \approx \frac{\beta(V_{th} - 0.7)}{(1+\beta)R_E}$
 → stable Q-point.
 * R_E ماکانہ عیبی
 * العیب تقریباً ثابت

$I_{CQ} = \beta(V_{th} - 0.7) / (R_{th} + (1+\beta)R_E)$

← R_E ماکانہ عیبی
 ← R_{th} ماکانہ عیبی
 ← β ماکانہ عیبی

For good Q-point stability it by design

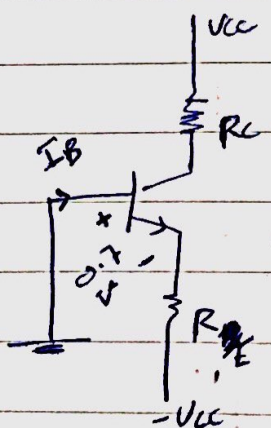
$R_{th} \ll (1+\beta)R_E \Rightarrow I_{CQ} \approx \frac{\beta(V_{th} - 0.7)}{(1+\beta)R_E}$

Q-point rule $\Rightarrow R_{th} \leq 0.1(1+\beta)R_E$

RE independent on β
 ← R_{th} ماکانہ عیبی
 ← V_{th} ماکانہ عیبی
 ← R_E ماکانہ عیبی
 ← β ماکانہ عیبی

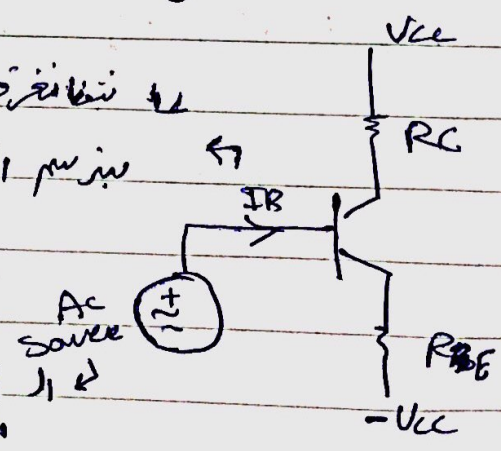
Negative and positive biasing:-

- advantage:-
- ① stable Q-point
 - ② it allows us in some applications to eliminate the coupling capacitor.



DC equivalent circuit

biassing ال circuit
 ← R_{th} ماکانہ عیبی
 ← V_{th} ماکانہ عیبی



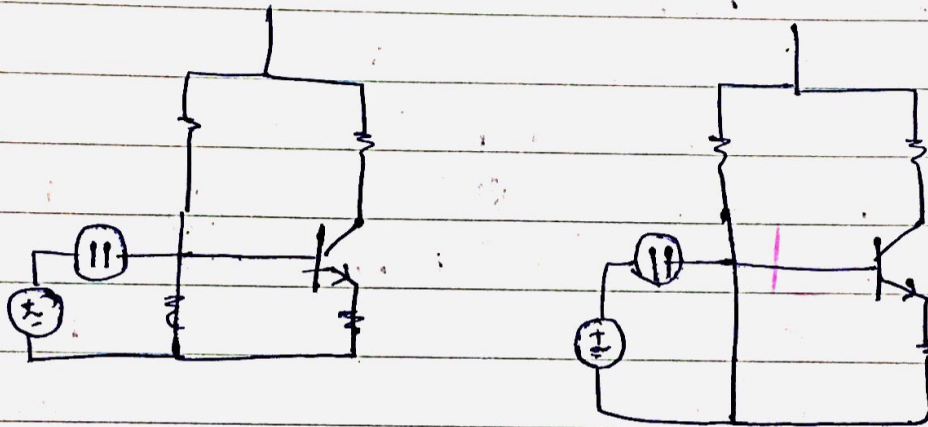
AC source
 ← R_{th} ماکانہ عیبی
 ← V_{th} ماکانہ عیبی

input loop

$$I_B = 0.7 + 0 + (1 + \beta) R_E I_B - V_{CC} = 0$$

$$I_B = \frac{V_{CC} - 0.7}{(1 + \beta) R_E}$$

$$I_C = \beta I_B = \frac{\beta (V_{CC} - 0.7)}{(1 + \beta) R_E} = \frac{V_{CC} - 0.7}{R_E} \quad \text{independent on } \beta \text{ so, stable Q-point}$$



Hw #1 :- Given $V_{BE(on)} = 0.65V$

(a) (1) Find the mode of op $\beta = 100$

(2) Find Q-point value.

(3) Find and draw the DC load line (I_C & V_{CE})

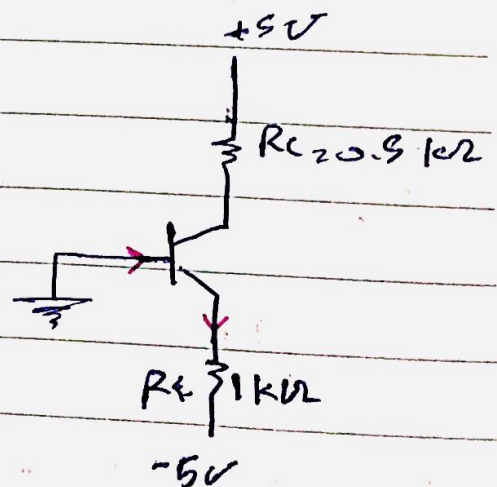
(4) What is the type of Biasing?

Sol \rightarrow

$$I_{BQ} = 43.1 \mu A$$

$$I_{CQ} = 4.31 mA$$

$$V_{CEQ} = 3.5 V$$

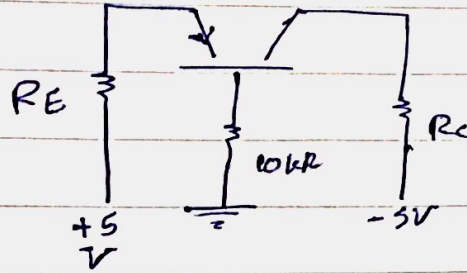


(12) Design the common emitter circuit find the values of R_C and R_E such that $I_{EQ} = 0.5 \text{ mA}$, $V_{CEQ} = 4 \text{ V}$
 Given: $\beta = 120$, $V_{BE(ON)} = 0.7 \text{ V}$
 Find the Type of the Transistor.

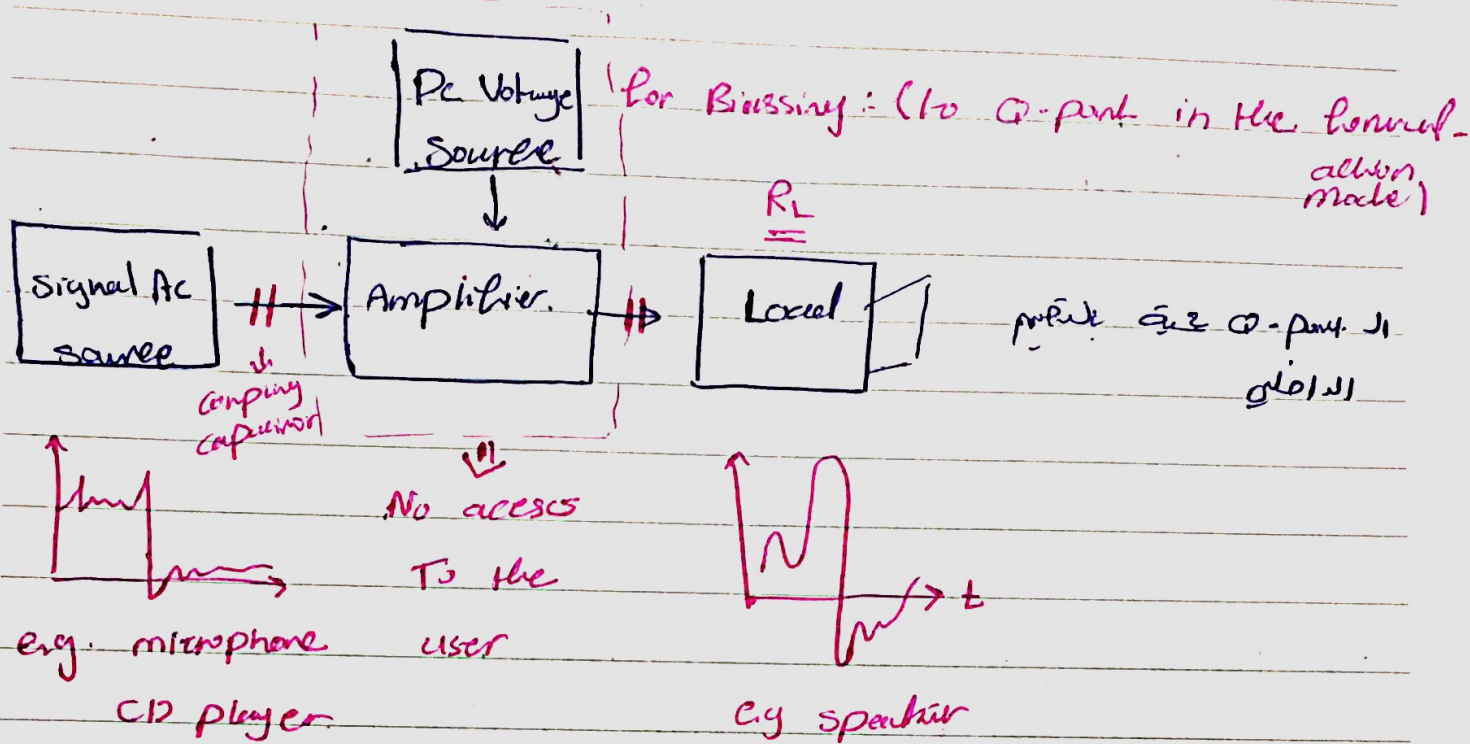
Sol \Rightarrow

$$R_C = 3.51 \text{ k}\Omega$$

$$R_E = 8.52 \text{ k}\Omega$$



BJT Amplifier :-



⇒ Amplifier should be linear. Circuit $\equiv V_o \propto V_i$ is linear.

$$V_o = K V_i$$

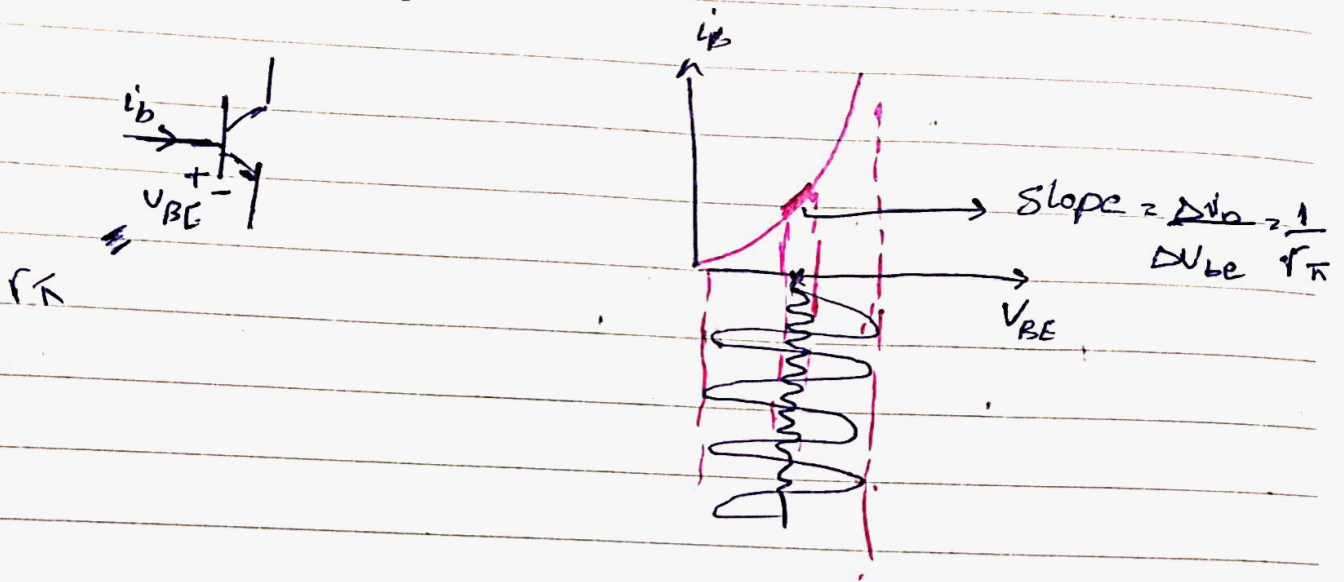
↓
Gain (Constant)

But to get linear circuit, all its components should be also linear. ($V \propto I$ is linear). It's current is linear, voltage is linear.

For Amplifier circuit, its components are :-

1. Resistors \Rightarrow linear (Ohm's Law)
2. Capacitors \Rightarrow linear
3. Transistors \Rightarrow is not linear for large AC signal, but its linear for small AC signal.

⇒ For large signal



⇒ Transistor is linear for small AC signal why?

⇒ Graphically, as shown in the figure

⇒ mathematically,

From Electronics (1) :-

$$i_B = \frac{I_S}{1+\beta} e^{\frac{V_{BE}}{V_T}}$$

$$I_B + i_b = \frac{I_S}{1+\beta} e^{\frac{V_{BE} + v_{be}}{V_T}}$$

$$I_B + i_b = \frac{I_S}{1+\beta} e^{\frac{V_{BE}}{V_T}} \cdot e^{\frac{v_{be}}{V_T}}$$

$$I_B + i_b = I_B \cdot e^{\frac{v_{be}}{V_T}}$$

$$1 - e^{-\frac{v_{be}}{V_T}} \approx 1 + \frac{v_{be}}{V_T} \rightarrow \text{(for } \frac{v_{be}}{V_T} \ll 1)$$

not!

$I_B \equiv DC \quad I_B = 5A$

$i_b \equiv AC \quad i_b = 3 \sin \omega t$

$i_B \equiv DC + AC$
 $\hookrightarrow 5 + 3 \sin \omega t \text{ A}$

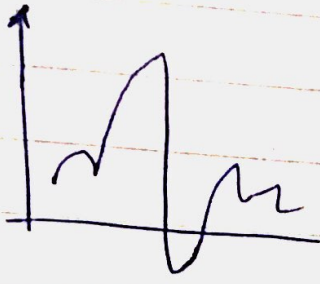
$I_B \equiv \text{phasor}$

$I_B = 3.245 \text{ A}$

(Note :- Taylor series :- $e^{\theta} = 1 + \theta + \frac{\theta^2}{2!} + \frac{\theta^3}{3!} + \dots$)

For $\theta \ll 1$; $e^{\theta} \approx 1 + \theta$

⇒ $V_T \Rightarrow$ Thermal Voltage $\Rightarrow V_T = 0.026 \text{ V}$ and $T = 300 \text{ K}$



$$\text{So, } I_B + i_b = I_B \left(1 + \frac{v_{be}}{V_T} \right)$$

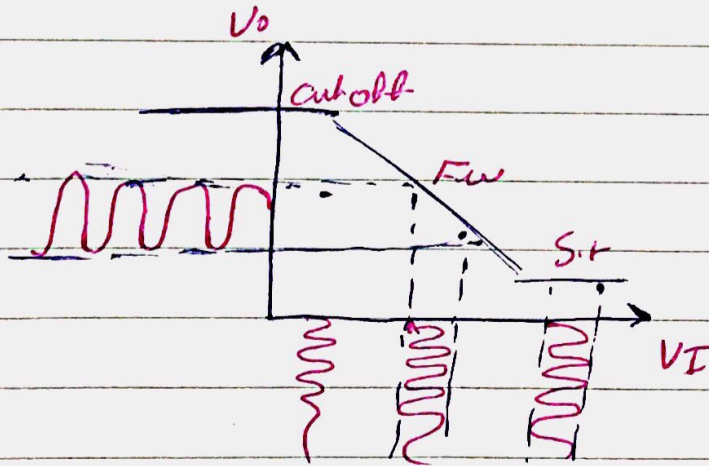
$$I_B + i_b = I_B + \frac{I_B}{V_T} v_{be}$$

$$i_b = \frac{I_B}{V_T} v_{be} \implies \text{Linear Relationship.}$$

$\frac{I_B}{V_T} \rightarrow 1/R_{in}$

* The requirements for Amplifier Circuit:-

① Q-point should be in the Forward-active region



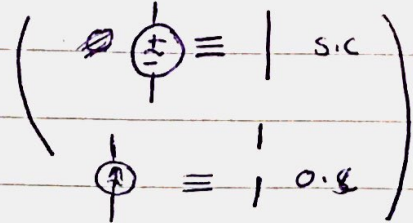
② Small AC signal to get linear Amplifier.

Analysis of Amplifier Circuits:-

⇒ Step 1:- Dc Analysis

↳ Draw the Dc equivalent circuit

↳ Kill all Ac Sources



↳ Replace all capacitors

by open circuit ($Z_c = \frac{1}{j2\pi fC} \Omega$)

$f_{DC} \Rightarrow f = 0$
 $= \infty \text{ o.c.}$

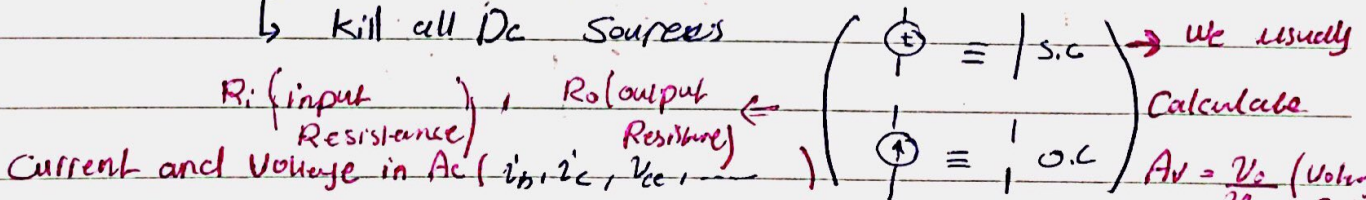
↳ Find the Q-point values

(I_{BQ}, I_{CQ}, V_{CEQ})

⇒ Step 2:- Ac analysis

↳ Draw the Ac equivalent circuit

↳ Kill all Dc Sources



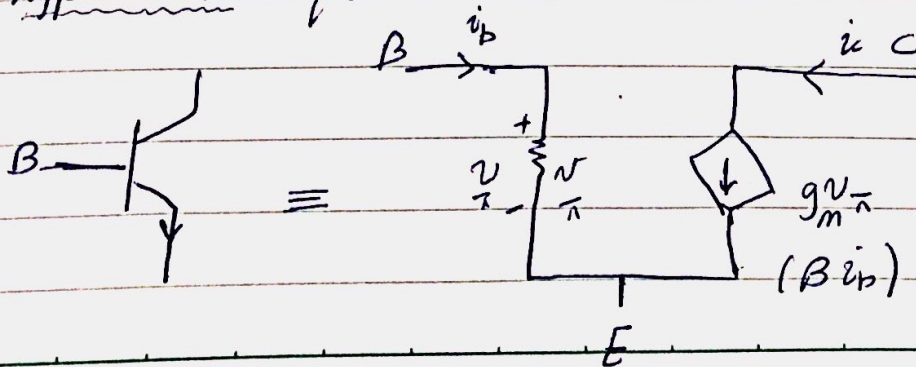
R_i (input Resistance), R_o (output Resistance)

Current and Voltage in Ac (i_b, i_c, v_{ce})

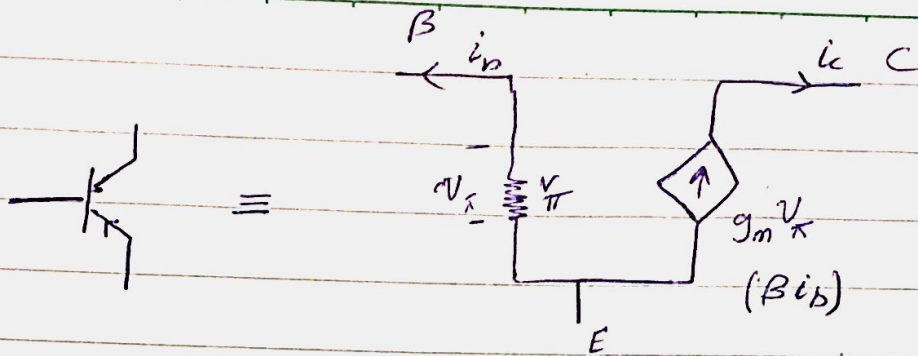
↳ replace all capacitors by short circuit

↳ Replace the transistor by its small-signal

Hybrid- π equivalent circuit.



$g_m r_{\pi}$
 \downarrow
 $g_m i_b r_{\pi}$
 βi_b



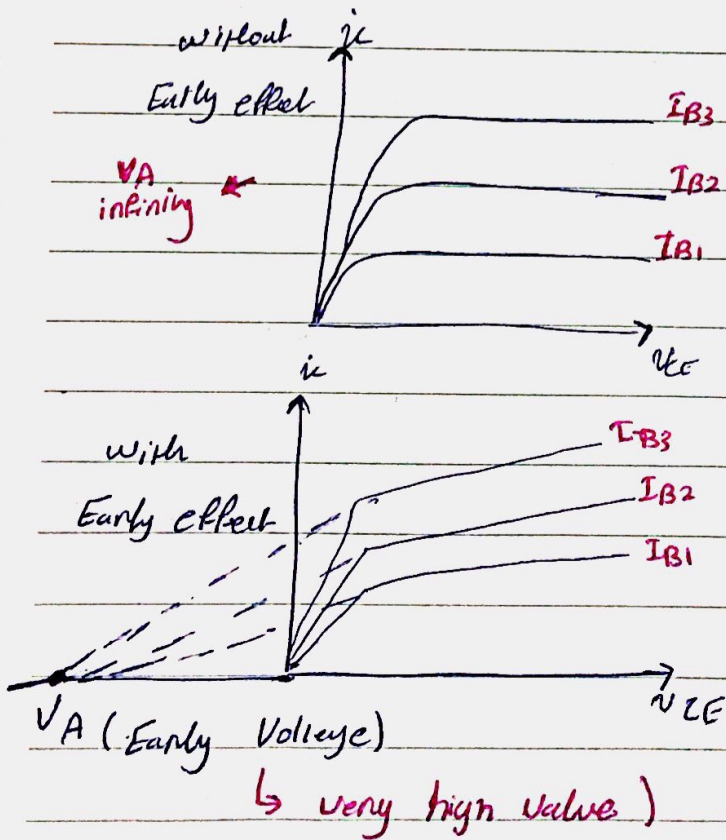
$r_\pi \Rightarrow$ diffusion resistance (Ω)
(in few $k\Omega$)

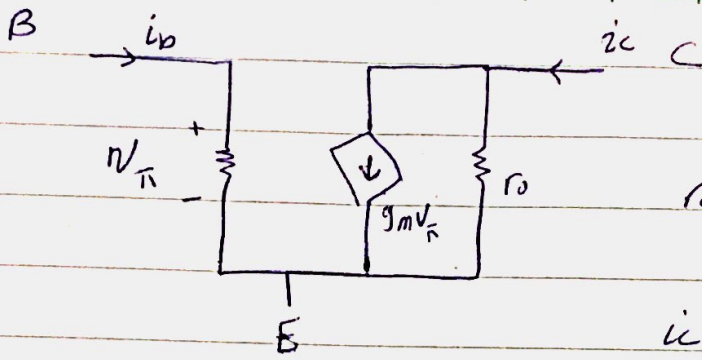
$$r_\pi = \frac{V_T}{I_B} \rightarrow 0.025 \text{ V at } T = 300 \text{ K}$$

$g_m \Rightarrow$ Transconductance $\Rightarrow g_m = \frac{I_{CQ}}{V_T} \text{ V}^{-1} (\Omega^{-1})$

$$\Rightarrow g_m r_\pi = \frac{I_{CQ}}{I_{BQ}} = \beta \rightarrow \text{tip}$$

\Rightarrow Hybrid- π equivalent circuit with early Effect:-





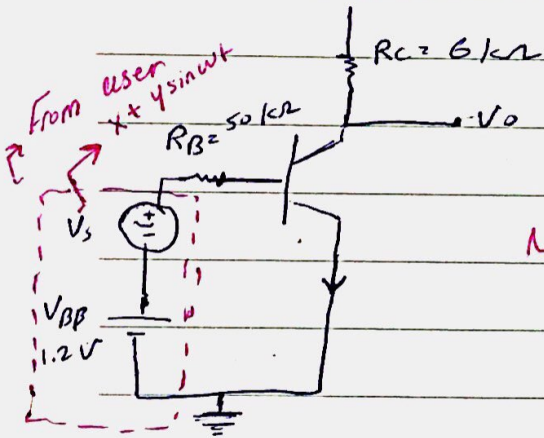
$$r_o = \frac{V_A}{I_{CQ}} \quad \Omega$$

$$i_c \neq g_m \hat{v}_\pi$$

$$i_B = I_{BQ} + i_b$$

$$5 + 3 \sin \omega t$$

$$\Rightarrow V_{CC} = 12V$$



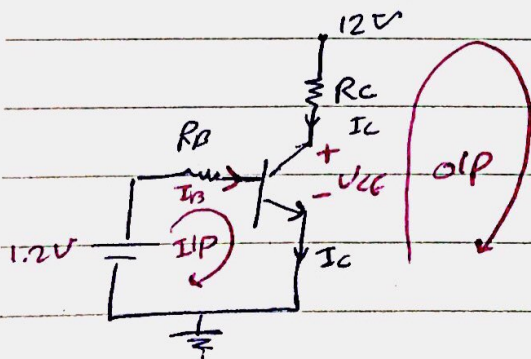
Given $\beta = 100$

Find $A_v = \frac{V_o}{V_s}$

Note :- this circuit is not a practical Amplifier $\Rightarrow V_s$ could have DC value which effects the position of the Q-point.

Step 1. DC Analysis

\Rightarrow DC equivalent circuit



$$\Rightarrow I_P: -1.2 + R_B I_B + 0.7 = 0$$

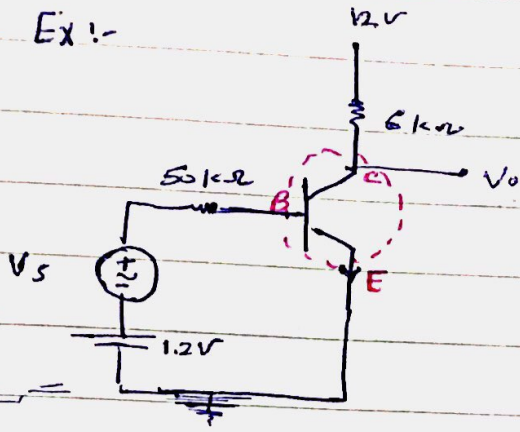
$$I_B = 10 \mu A$$

$$\Rightarrow I_C = \beta I_B = 1 \text{ mA}$$

$$\Rightarrow \text{o/p: } -12 + R_C I_C + V_{CE} = 0$$

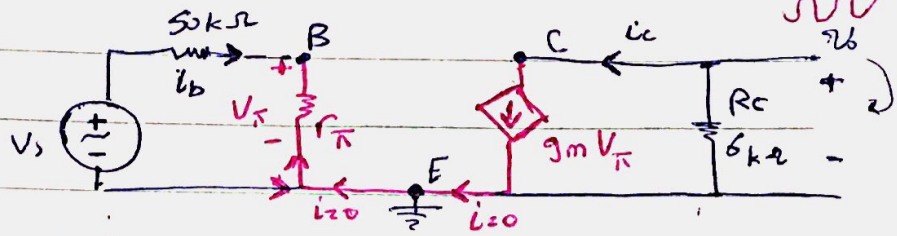
$$V_{CE} = 6V > V_{CE(\text{sat})} \therefore \text{F.W.} \left\{ \begin{array}{l} \text{Step} \\ \text{analysis} \end{array} \right.$$

Ex:-



Step 2:- AC Analysis

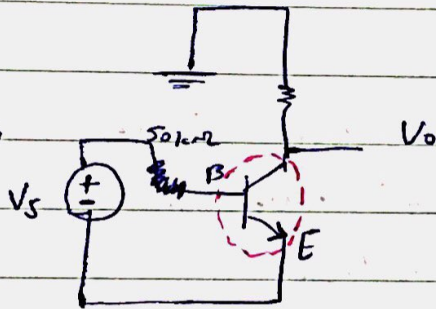
⇒ Draw the equivalent AC circuit



$\beta = 100$

⇒ DC Analysis

$\Rightarrow I_{BQ} = 10 \mu A, I_{CQ} = 1 mA$



$A_N = \frac{V_o}{V_s}$

$r_{\pi} = \frac{V_T}{I_{BQ}} = 2.6 k\Omega$

$g_m = \frac{I_{CQ}}{V_T} = 38.5 mA/V$

V_{π} & V_o are in phase with V_s ← (1)

$\Rightarrow V_o = -g_m V_{\pi} * R_C$ ← (1)

$\Rightarrow V_{\pi} = \frac{V_s * r_{\pi}}{r_{\pi} + R_B}$ ← (2)

Sub (2) in (1)

$V_o = -g_m R_C V_s \frac{r_{\pi}}{r_{\pi} + R_B}$

$A_N = \frac{V_o}{V_s} = -\frac{g_m R_C r_{\pi}}{r_{\pi} + R_B} = -11.4$ (Voltage gain)

gain is up ←

180° phase shift

gain

input V_s

between V_s & V_o

⇒ if $v_s = 0.25 \sin \omega t$ V, find

i_b , i_c , v_{ce} , v_o , i_b , v_{ce}
IB AC DC + AC

ويعطى $v_s = 0.25 \sin \omega t$

بالصيغة العامة $v_s = V_m \sin \omega t$

لذا ⇒ $i_b(t) = \frac{0.25 \sin \omega t}{50 + R_{\pi}} = 4.75 \sin \omega t \mu A$

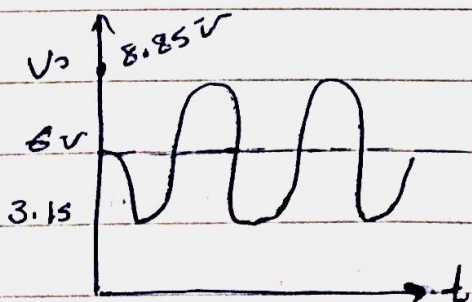
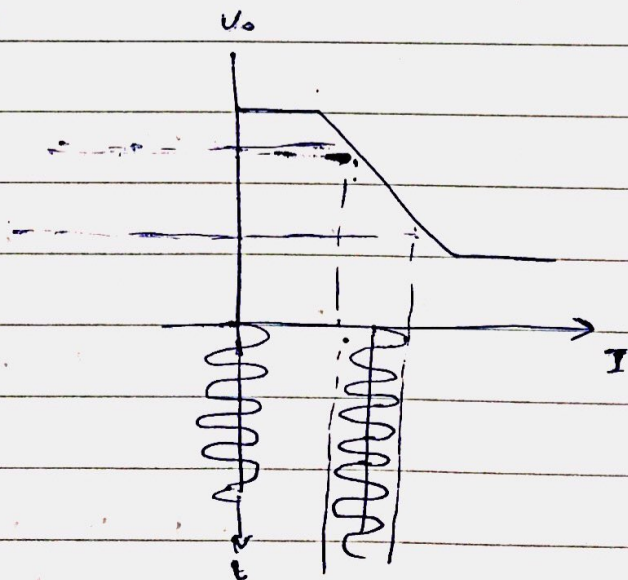
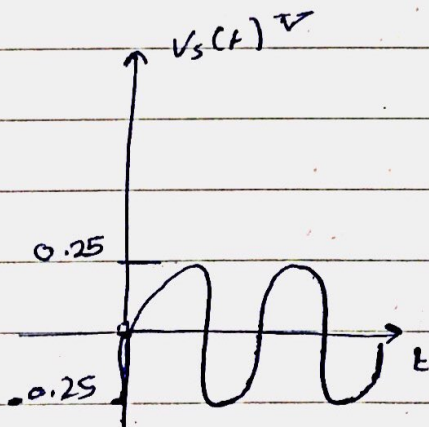
Time domain. $50 + R_{\pi}$

⇒ $i_c = (\beta I_B)$ OR $(g_m v_{\pi})$
 $= 4.75 \sin \omega t \text{ mA}$

⇒ $v_{ce} = v_o = -i_c R_c = -2.85 \sin \omega t \text{ V}$

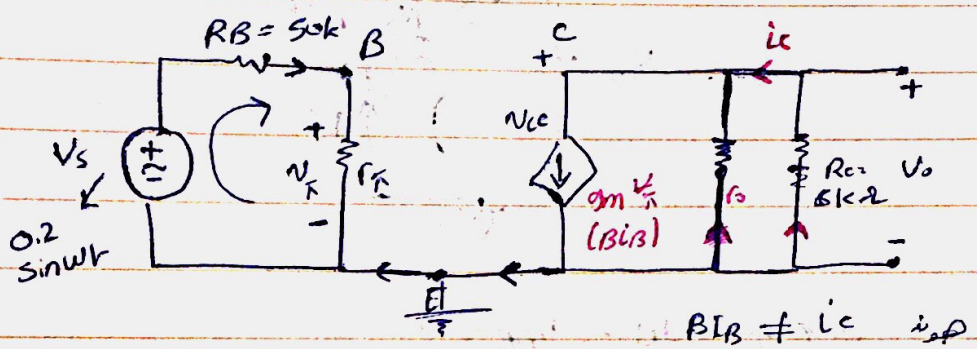
⇒ $i_b = I_{BQ} + i_b = 10 + 4.75 \sin \omega t \mu A$

⇒ $v_o = 6 - 2.85 \sin \omega t \text{ V} = v_{ce}$



* if $V_A = 50V$, find $A_v = \frac{V_o}{V_s}$

$\Rightarrow \begin{matrix} r_o = V_A \\ I_{CQ} \end{matrix} = \frac{50}{1mA} = 50k\Omega$



$\Rightarrow V_{\pi} = V_s \frac{r_{\pi}}{r_{\pi} + R_B} \quad \text{--- (1)}$

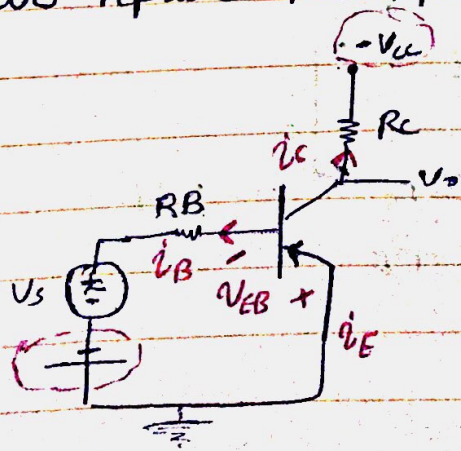
$\Rightarrow V_o = -g_m V_{\pi} (r_o \parallel R_C) \quad \text{--- (2)}$

$\Rightarrow \text{(1) in (2)} \Rightarrow A_v = \frac{V_o}{V_s} = \frac{-g_m (r_o \parallel R_C) r_{\pi}}{r_{\pi} + R_B} = -10.2$

Early effect reduces the gain!

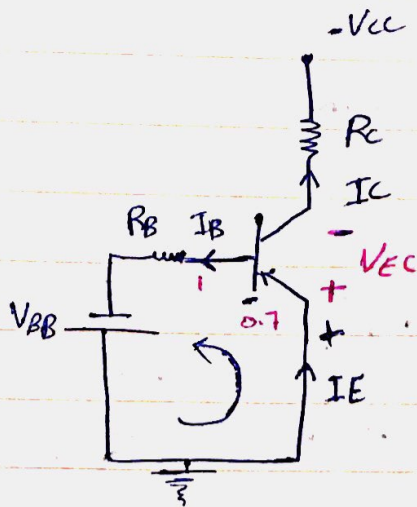
\Rightarrow if we change the Transistor.

" we replace the npn transistor by pnp transistor.



\Rightarrow

⇒ Dc Analysis:-

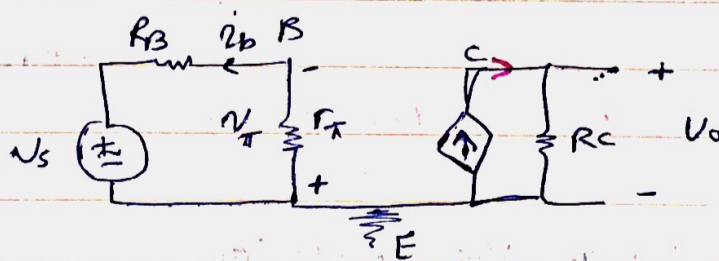


$$0.7 + R_B I_B - V_{BB} = 0$$

$$I_{B0} = \frac{V_{BB} - 0.7}{R_B} \approx 10 \mu A$$

$$I_{CQ} = \beta I_B = 1 mA$$

⇒ Ac Analysis:-



$$v_o = +g_m v_{\pi} R_C \quad \text{--- (1)}$$

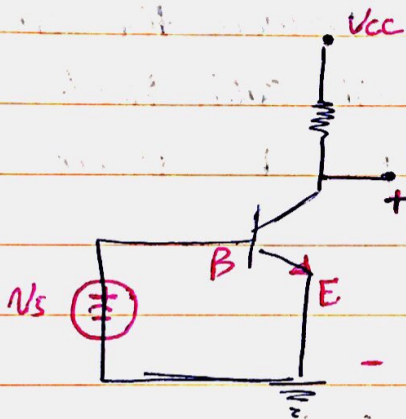
$$v_{\pi} = -v_s \frac{r_{\pi}}{r_{\pi} + R_B} \quad \text{--- (2)}$$

$$\text{(2) in (1)} \quad A_v = \frac{v_o}{v_s} = -\frac{g_m R_C r_{\pi}}{r_{\pi} + R_B} = -11.4$$

Basic Transistor Amplifier Configurations:

- ① Common Emitter Amplifier circuit (CE)
- ② Common Collector Amplifier (CC)
- ③ Common Base Amplifier (CB)

⇒ CE: input and output signals connected to Base and collector



⇒ CE Amplifiers :-

- ① CE Amplifier without R_E
- ② CE s with R_E
- ③ CE s with R_E and bypass Capacitor.
- ④ Advanced CE Amplifier

s

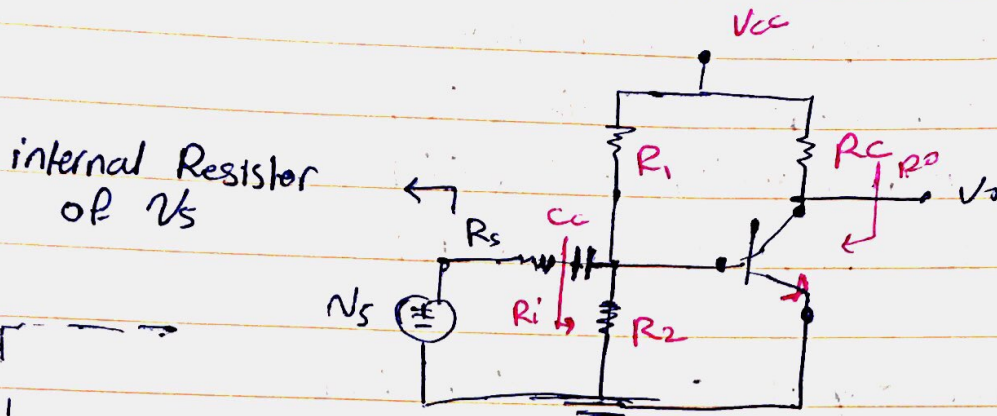
* CC Amplifier: just one type.

* CB s: just one type.

* CE Amplifier without R_E



* CE Amplifier without RE



C_c :- Coupling Capacitor

it is used for DC isolation between the source (V_s) and the Amplifier circuit such that Q-point is not affected by the DC value in the source (V_s)

→ Disadvantage:-

- ① very sensitive to $V_{BE(on)}$
- ② high loading effect on the input circuit

Ex:- if $V_{CC} = 12V$, $R_C = 6k\Omega$, $R_1 = 93.71k\Omega$
 $R_2 = 6.3k\Omega$, $R_S = 0.5k\Omega$
 $\beta = 100$, $V_{BE(on)} = 0.7V$, $V_A = 100V$

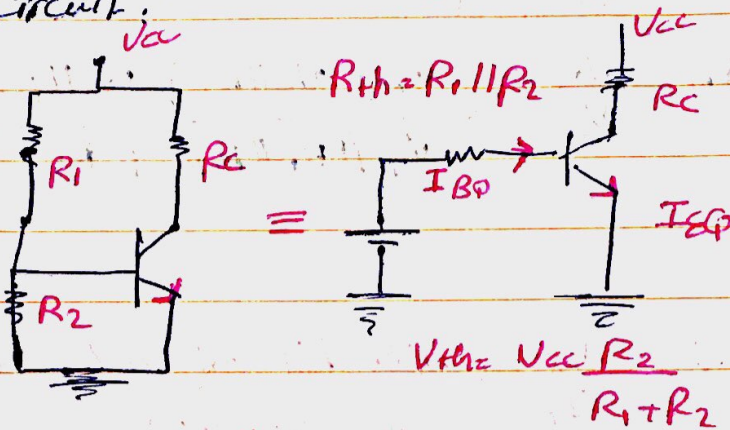
- ① what is the type of transistor.
- ② s s s type of Biasing
- ③ what is the configuration.
- ④ Find $A_v = \frac{V_o}{V_s}$ (voltage gain)
- ⑤ Find R_i (input impedance)
- ⑥ Find R_o (output impedance)
- ⑦ Is the Loading effect high?



Sol.:-

- ① npn
- ② Voltage divider biasing
- ③ CE Amplifier
- ④ \Rightarrow Step 1: DC analysis

DC equi Circuit:



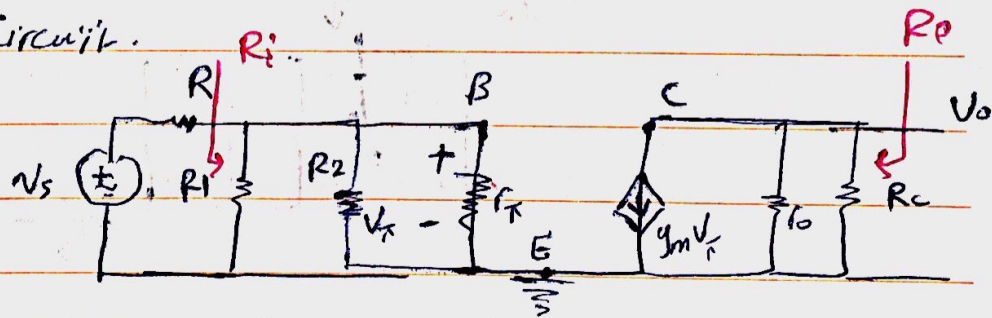
$$\Rightarrow I_{BQ} = 95 \mu A$$

$$\Rightarrow I_{CQ} = 0.95 \text{ mA}$$

$$\Rightarrow V_{CE} = 6.31 \text{ V}$$

Step 2: AC analysis

AC equi Circuit.



$$r_o = \frac{V_A}{I_{CQ}} = 105 \text{ k}\Omega$$

$$r_{\pi} = \frac{V_T}{I_{BQ}} = 2.74 \text{ k}\Omega$$

$$g_m = \frac{I_{CQ}}{V_T} = 36.5 \text{ mA/V}$$

$$A_v = \frac{V_o}{V_s}$$

$$\Rightarrow V_o = -g_m V_{\pi} (r_o \parallel R_c) \quad \text{--- (1)}$$

$$\Rightarrow V_{\pi} = \frac{V_s (r_{\pi} \parallel R_1 \parallel R_2)}{r_{\pi} \parallel R_1 \parallel R_2 + R_s} \quad \text{--- (2)}$$

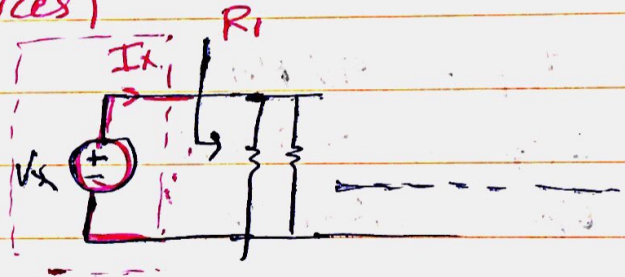
(2) in (1)

$$\Rightarrow A_v = \frac{V_o}{V_s} = \frac{-g_m (r_o \parallel R_c) (V_{\pi} \parallel R_1 \parallel R_2)}{r_{\pi} \parallel R_1 \parallel R_2 + R_s} = -163$$

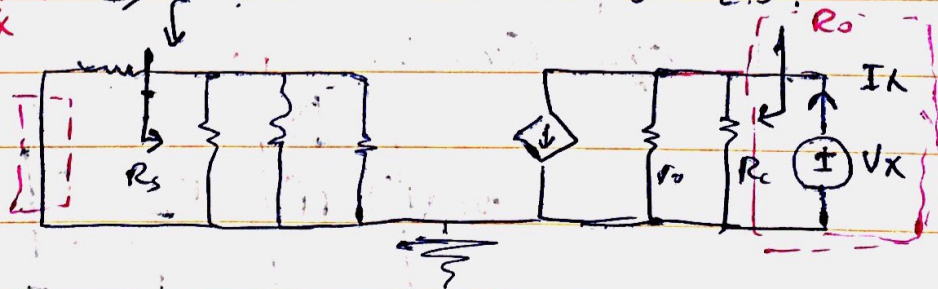
↳ phase shift of 180° between V_s & V_o

$$\Rightarrow \textcircled{5} R_i = \frac{V_x}{I_x} \quad (\text{with kill all independent AC sources})$$

$$= r_{\pi} \parallel R_1 \parallel R_2 = 1.87 \text{ k}\Omega$$



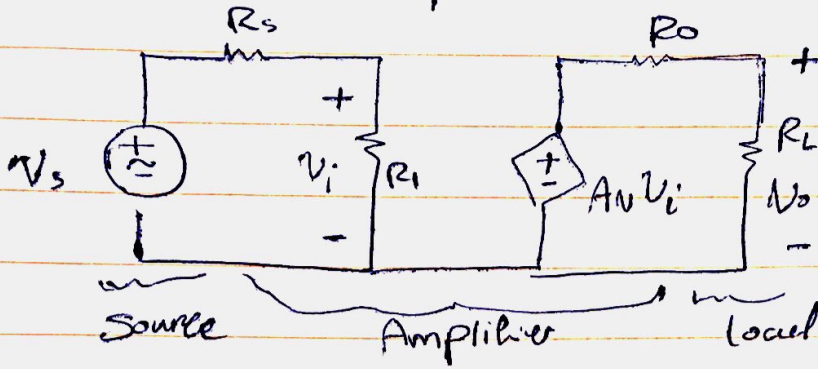
$$\Rightarrow \textcircled{6} R_o = \frac{V_x}{I_x} \Rightarrow \text{نیزج ائرنه ده لا كانه ديس}$$



kill $V_s \Rightarrow V_{\pi} = 0 \Rightarrow g_m V_{\pi} = 0$ (open circuit)

$$\text{So, } R_o = \frac{V_x}{I_x} = r_o \parallel R_c = 5.68 \text{ k}\Omega$$

⇒ Two-port equivalent Circuit For Amplifier Circuit:-



$$V_i = V_s \frac{R_i}{R_i + R_s}$$

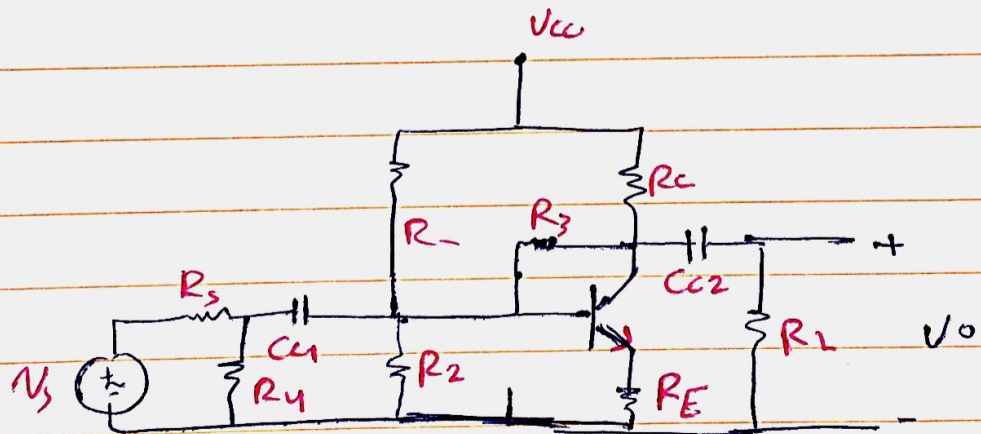
1.87 *0.5*

to get $V_i \approx V_s$, we need high R_i ($R_i \gg R_s$)

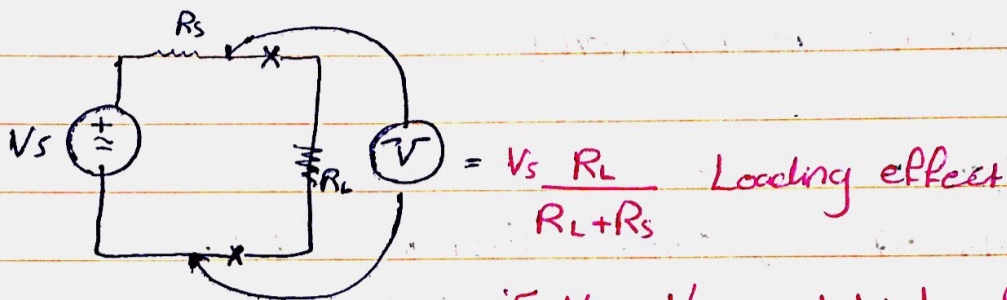
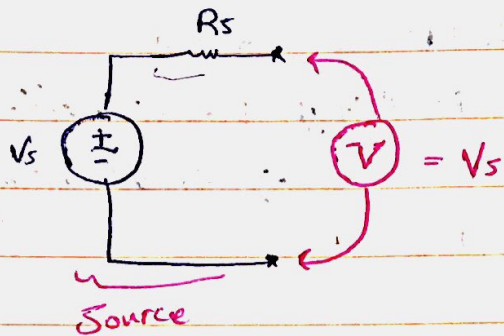
$V_i = 0.78 V_s$

⇒ high loading effect.

Hw ⇒ Draw AC circuit



Loading effect:-



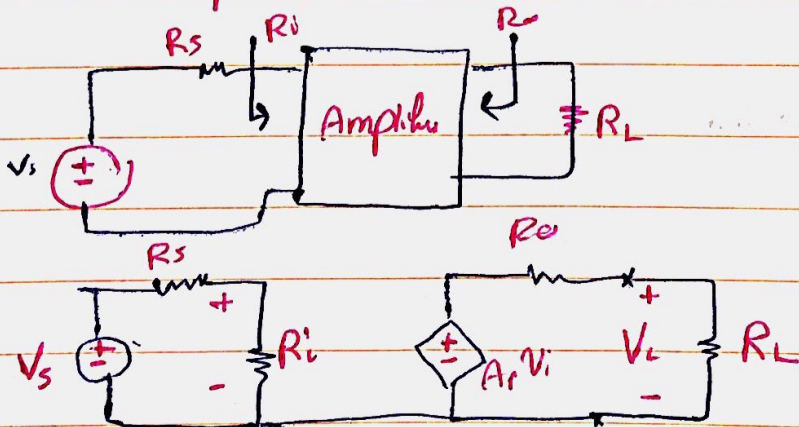
if $V_L \ll V_S \Rightarrow$ high Loading effect (Load)

\Rightarrow To decrease the Loading effect:-

Solution 1: increase R_L ($R_L \gg R_S$) $\Rightarrow V_L \approx V_S$

Solution 2: decrease R_S ($R_S \ll R_L$) \Rightarrow

For Amplifier Circuit :-



\Rightarrow So to get a good Amplifier (with small Loading effect)

we need $R_i \gg R_S$ and $R_o \ll R_L$

For the Last Example (Part 7)

Loading effect $\Rightarrow V_{in} = V_s \frac{R_i}{R_i + R_s} \rightarrow 1.87 \text{ k}\Omega$
 $\rightarrow 0.5 \text{ k}\Omega$

if $V_{in} > 0.9 V_s \Rightarrow \text{good}$ (low loading effect) $= 0.789 V_s$ (High Loading effect) \Rightarrow disadvantages

\Rightarrow disadvantages of CE without RE:

① high Loading effect.

② very sensitive to $V_{BE(ON)}$

\rightarrow DC analysis :-

if $V_{BE(ON)} = 0.7 \rightarrow V_{CEQ} = 6.31 \text{ V} \Rightarrow$ in F.W

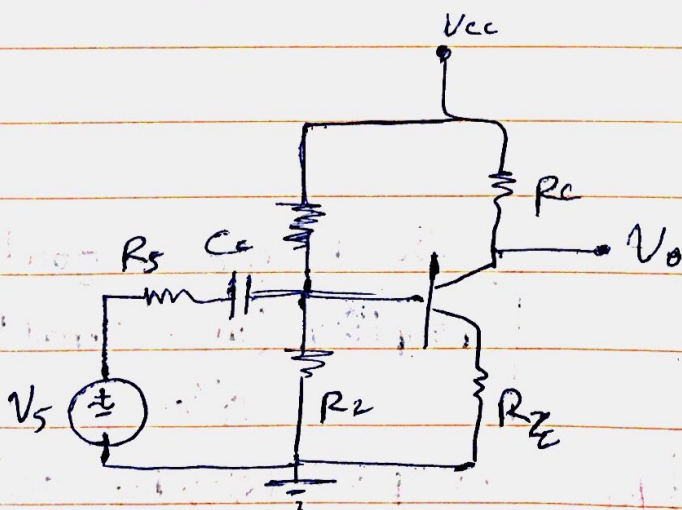
if $V_{BE(ON)} = 0.6 \rightarrow V_{CEQ} = -3.6 \text{ V} \Rightarrow$ not in F.W

\Rightarrow Common Emitter (CE) with RE Amplifier: (stable A_v)

advantages:- ① Voltage gain (A_v) is less dependent on β

② small Loading effect ($V_{in} \times V_s$) ③ stable Q-point

disadvantages: small A_v



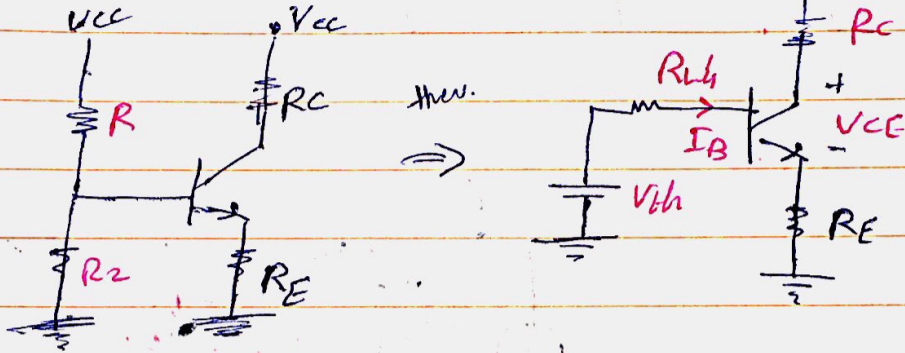
⇒ Example : if $V_{CC} = 10\text{ V}$, $R_C = 2\text{ k}\Omega$, $R_1 = 56\text{ k}\Omega$, $V_{BE(on)} = 0.7\text{ V}$
 $R_2 = 12.2\text{ k}\Omega$, $R_E = 0.4\text{ k}\Omega$, $\beta = 100$, $V_A = \infty$

Find R_{in} and $A_{v} = \frac{V_o}{V_s}$

$$r_o = \frac{V_A}{I_{CQ}} = \infty$$

Step 1: DC Analysis

⇒ DC eq. circuit

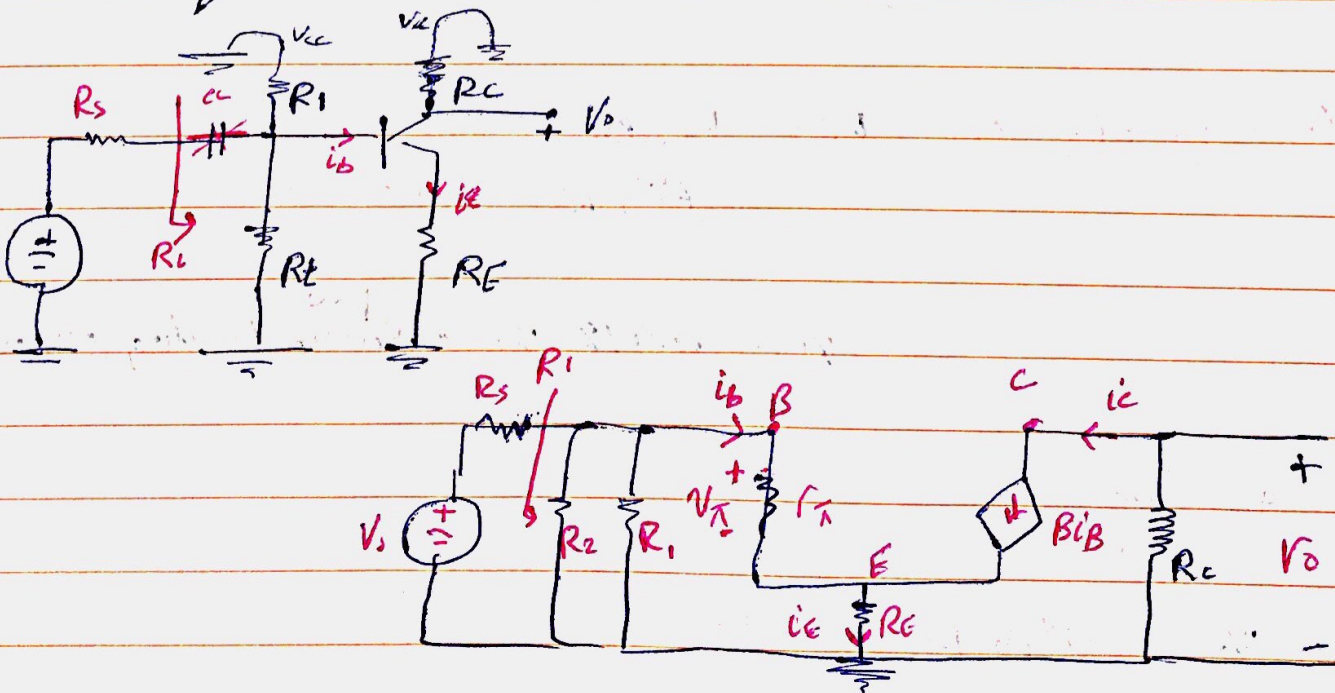


⇒ $I_{BQ} = 21.6\ \mu\text{A}$, $V_{CEQ} = 4.81\text{ V}$

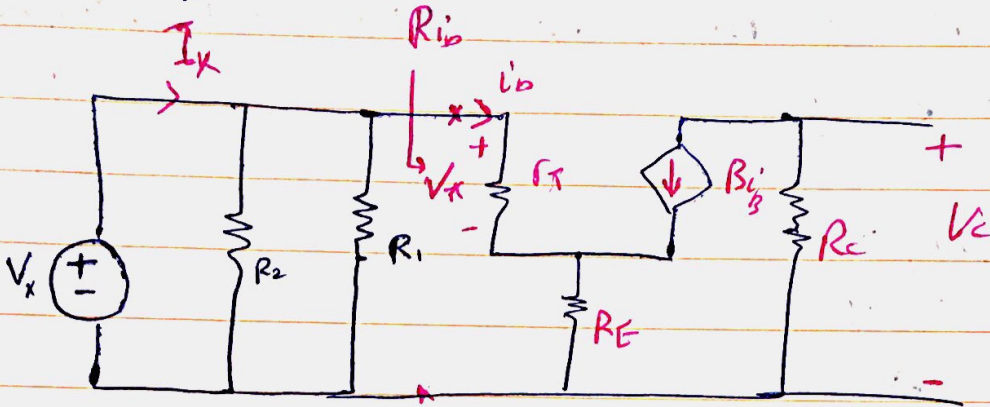
⇒ $I_{CQ} = 2.16\text{ mA}$

Step 2: AC analysis

AC eq. circuit



$$R_i = \frac{V_x}{i_x}$$



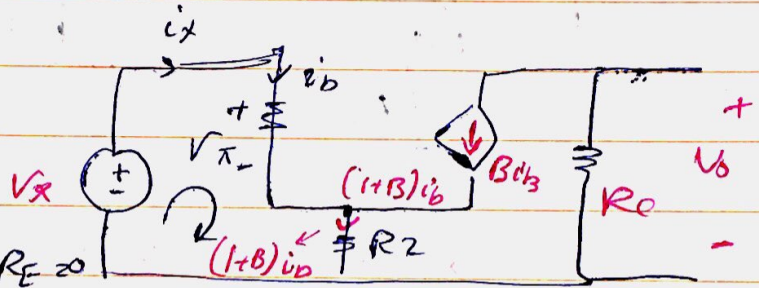
$$R_i = R_1 \parallel R_2 \parallel R_{ib}$$

$$R_{ib} = \frac{V_x}{i_x}$$

Kvl in

$$-V_x + r_\pi i_x + (1+\beta) i_x R_E = 0$$

$$R_{ib} = \frac{V_x}{i_x} = r_\pi + (1+\beta) R_E$$



$$\therefore R_i = R_1 \parallel R_2 \parallel (r_\pi + (1+\beta) R_E)$$

$$= 8.06 \text{ k}\Omega$$

8.06

Loading effect:- $V_i = V_s \frac{R_i}{R_i + R_s}$

$$\frac{8.06}{8.06 + 0.5} \text{ k}\Omega$$

$V_i = 0.942 V_s$ as ^{low} small loading effect

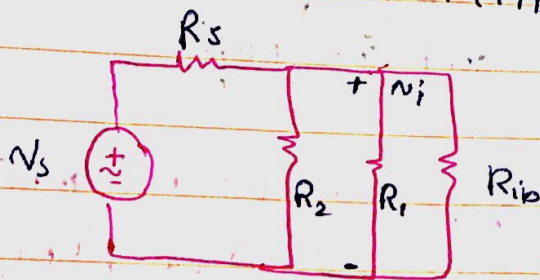
$$A_v = \frac{V_o}{V_s}$$

$$\Rightarrow V_o = -\beta i_b R_c \quad \text{--- ①}$$

$V_s \text{ ??}$

$$\Rightarrow KVL_2 \Rightarrow -V_i + i_b r_{\pi} + i_b (1+\beta) R_E = 0$$

$$i_b = \frac{V_i}{r_{\pi} + (1+\beta) R_E} \quad \text{--- (2)}$$



$$V_i = \frac{V_s (R_1 \parallel R_2 \parallel R_{ib})}{R_s + R_1 \parallel R_2 \parallel R_{ib}} \quad \text{--- (3)}$$

$$\text{Sub (3) in (2)} \Rightarrow i_b = \frac{V_s (R_1 \parallel R_2 \parallel R_{ib})}{(R_s + R_1 \parallel R_2 \parallel R_{ib}) + r_{\pi} + (1+\beta) R_E} \quad \text{--- (4)}$$

sub (4) in (1) go

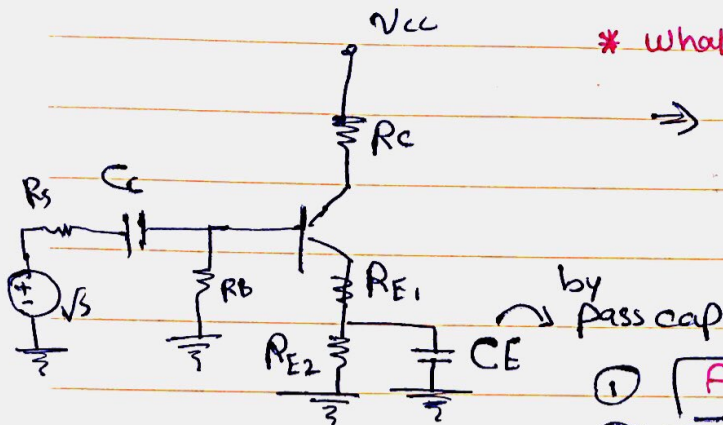
$$A_v = \frac{V_o}{V_s} = \frac{-\beta R_c R_i}{(R_i + R_s) (r_{\pi} + (1+\beta) R_E)} = -4.53 \Rightarrow \text{Exact}$$

* usually: $R_i \gg R_s$ and $r_{\pi} \ll (1+\beta) R_E$

$$\boxed{A_v = -\frac{R_c}{R_E} = -5} \quad \text{independent on } \beta \Rightarrow \text{approximate}$$

↳ AC Doesn't depend on β

⇒ CE with RE and bypass capacitor so



* what is the advantage of using bypass?

⇒ we use by pass Cap. to simplify the design process (satisfying AC and DC req.)

① AC req. ⇒ A_v, R_i, R_o, R_{A_i}

② DC req. ⇒ I_{CQ}, V_{CEQ}, I_{BQ}

Q-point stability ($R_{th} \ll (1+\beta)R_E$)

Ex: For CE with RE :-

⇒ $A_v = -\frac{R_c}{R_E} \Rightarrow$ AC req. \Rightarrow we need small R_E to get high A_v

⇒ $R_{th} \ll \frac{(1+\beta)R_E}{\text{Stable Q-point}} \Rightarrow$ DC \Rightarrow we need high R_E to satisfy Q-point stability.

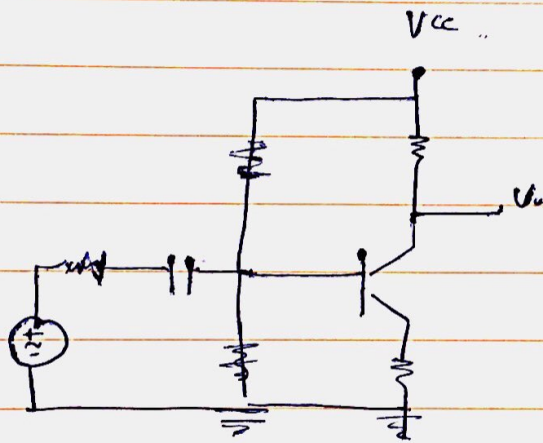
* usually, we need high value of A_v which means small R_E but for DC req. we need high value of R_E .

So, by using bypass cap., in AC $R_E = R_{E1}$ (small value)
in DC $R_E = R_{E1} + R_{E2}$ (high values)

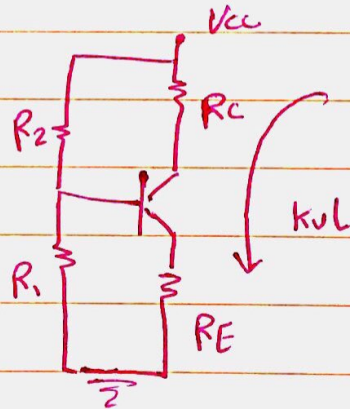
Ex.: Consider CE Amplifier, use the approximate gain
 $A_v = -R_C / R_E$ with $I_{CQ} = 1\text{mA}$, $V_{CEQ} = 5\text{V}$
 $\beta = 99$, $V_{CC} = 9\text{V}$

⇒ Find R_C and R_E such that ① $A_v = -8$
 ② $R_i = 27.5\text{ k}\Omega$

assume $I_{CQ} = I_{EQ}$ and
 $R_1 \parallel R_2$ is very high value (D.C)



DC Requirements
 $I_{CQ} = 1\text{mA}$, $V_{CEQ} = 5\text{V}$



AC requirements :-

① $A_v = -8 = \frac{-R_C}{R_E} \therefore R_C = 8R_E$ --- ② $k\Omega$

② $R_i = 27.5\text{ k}\Omega = \frac{R_1 \parallel R_2}{\infty} \parallel (r_{\pi} + (1+\beta)R_E)$ $-9 + R_C \cdot 1 + 5 + R_E = 0$

$\therefore 27.5\text{ k}\Omega = \frac{V_T}{I_{BQ}} + 100 R_E$

$\rightarrow R_E = 0.25\text{ k}\Omega$

From ② $R_c = 2k\Omega$

From ① $R_c = 3.75k\Omega$

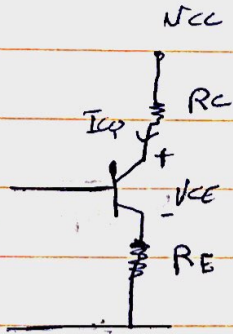
Solution \rightarrow bypass C

↳ H.W solve using bypass C

EX: DC: $I_{CQ} = 1\text{mA}$, $V_{CEQ} = 5\text{V}$

AC: ① $A_v = -8$ ② $R_i = 27.5\text{k}$

Solution 1



DC: $R_C + R_E = 4\text{k}\Omega$ --- ①

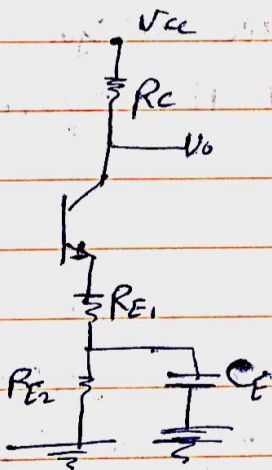
AC: $R_C = 8R_E$ --- ②

$R_E = 0.25\text{k}\Omega$ --- ③

③ in ① $R_C = 3.75\text{k}\Omega$

③ in ② $R_C = 2\text{k}\Omega$ X

Solution 2: Use bypass capacitor on RE



DC: $R_C + R_{E1} + R_{E2} = 4\text{k}\Omega$ --- ①

AC: $R_C = 8R_{E1}$ --- ②

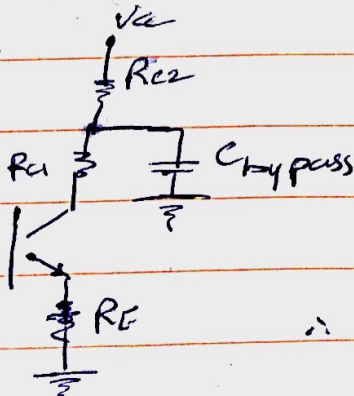
$R_{E1} = 0.25\text{k}\Omega$ --- ③

$R_{E1} = 0.25\text{k}\Omega$

$R_C = 2\text{k}\Omega$

$R_{E2} = 1.75\text{k}\Omega$

Solution 3:



DC: $R_{C1} + R_{C2} + R_E = 4\text{k}\Omega$ --- ①

AC: $R_{C1} = 8R_E$ --- ②

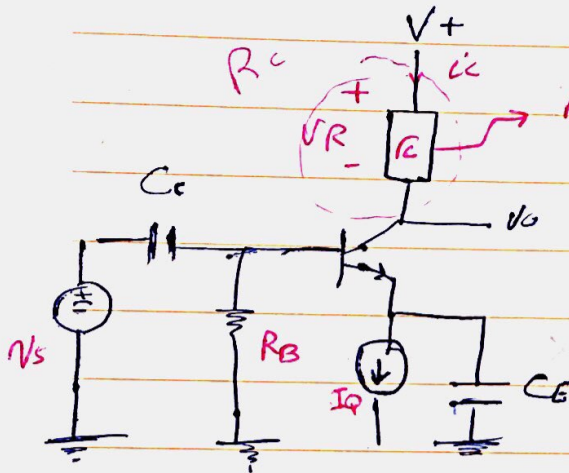
$R_E = 0.25\text{k}\Omega$ --- ③

$\therefore R_E = 0.25\text{k}\Omega$

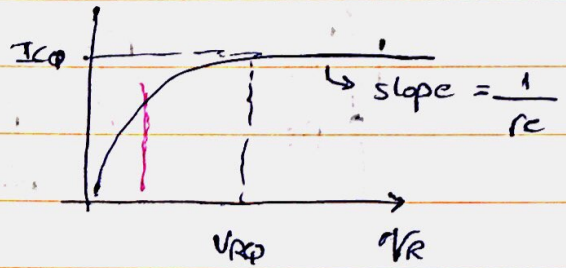
$R_{C1} = 2\text{k}\Omega$

$R_{C2} = 1.75\text{k}\Omega$

* Advanced CE Amplifier :-
 Type 1 : using non linear resistor



Non-Linear resistor
 or high values



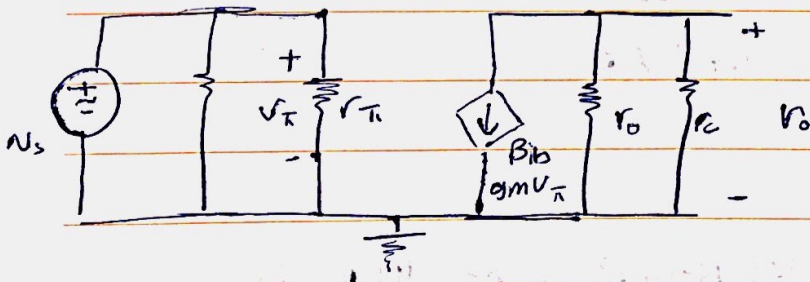
(small size of \$r_c\$)

Advantages * Very high value of \$r_c\$ leads to very high \$A_v\$.

* using \$I_Q\$, simplify the design process by setting the Q-point at the required position.

* Find \$A_v\$:-

Ac Analysis :-



$$v_o = -g_m v_{\pi} (r_o || r_c) \quad \text{--- (1)}$$

$$v_{\pi} = v_s \quad \text{--- (2)}$$

$$A_v = -g_m (r_o || r_c)$$

$$\rightarrow \left(\frac{\beta}{1+\beta} \right) I_{EQ} = I_{CQ}$$

Ex: if $I_{EQ} = 0.5 \text{ mA}$, $\beta = 120$

$$V_A = 80 \text{ V}, r_c = 120 \text{ k}\Omega$$

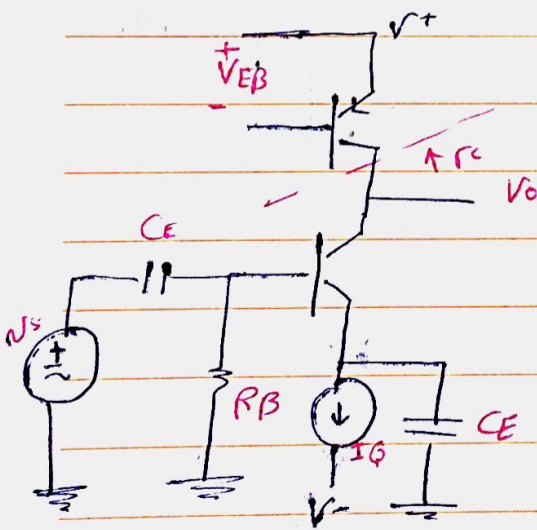
$$\Rightarrow r_o = \frac{V_A}{I_{CQ}} = 160 \text{ k}\Omega$$

$$\Rightarrow g_m = \frac{I_{CQ}}{V_T} = 19.2 \text{ mA/V}$$

$$\Rightarrow A_v = -19.2 (160 \parallel 120) \Rightarrow = \underline{\underline{-1317}}$$

* Advanced CE Amplifier

Type 2: using Active Load.



Advantages: ① small size of active load such that it can be used inside ICs.

② Very high value of r_c so very high value of A_v .

③ using I_Q simplifies the setting of the Q-point design.

② Common Collector Amplifier. (Load effect) (Load effect)
 (Emitter Follower) OR (impedance transformer) → $\frac{V_o}{V_s}$
 ↳ Buffer

Features :- ① $V_o = V_s \rightarrow (A_V = 1)$

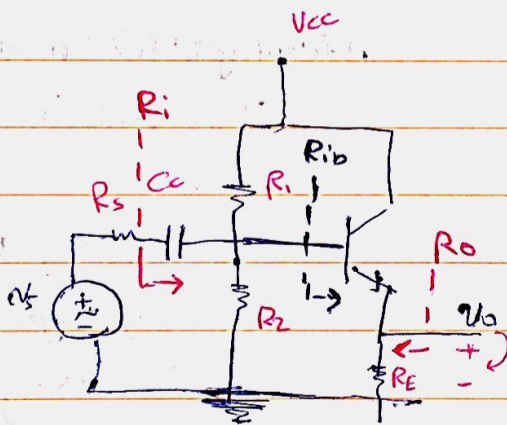
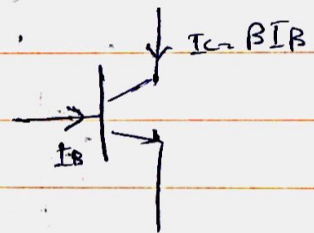
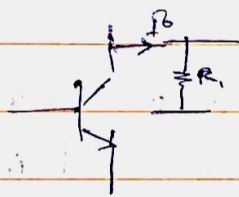
② High $R_{input} R_i$

③ Low $R_{output} R_o$

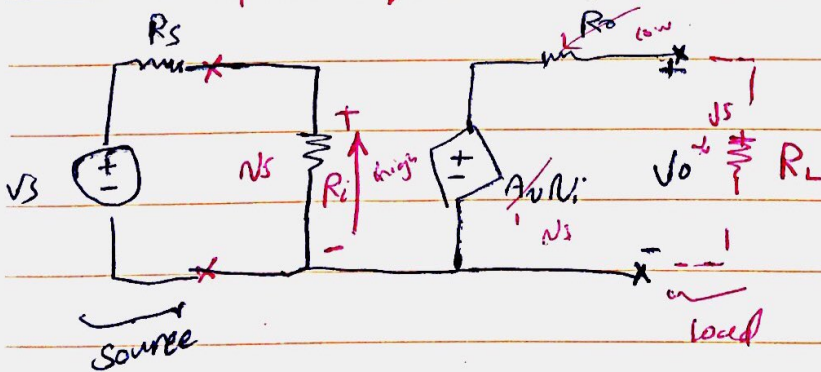
④ it is used as the final stage in multi stage Amplifier and first stage

⑤ R_1 and R_2 should be very high to take the advantage of very high R_{ib} .

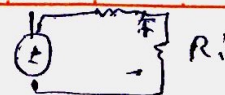
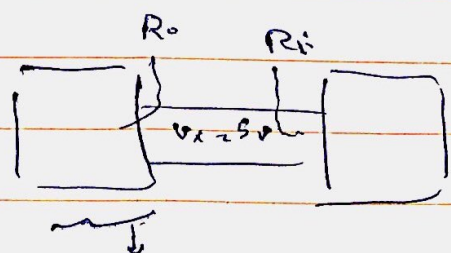
⑥ $A_i \approx (1+\beta) \rightarrow$ same as simple BJT



Two-port equivalent circuit



R_1, R_2 Very high value



Ex: if $V_{CC} = 5V$, $R_1 = 50k\Omega$, $R_2 = 50k\Omega$

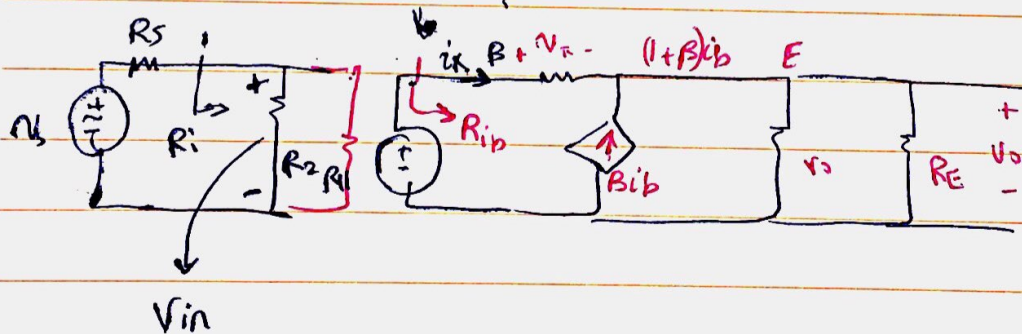
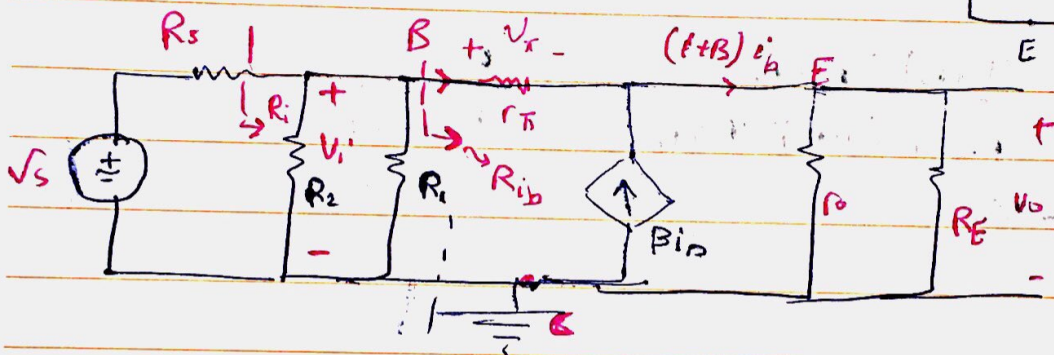
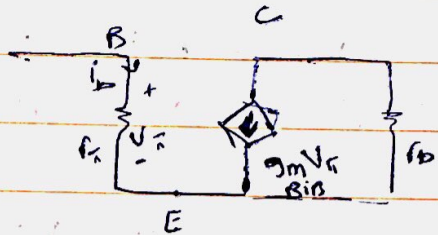
$R_E = 2k\Omega$, $R_S = 0.5k\Omega$

$\beta = 100$, $V_{BE(on)} = 0.7V$, $V_A = 80V$

Given $I_{CQ} = 0.793mA$, $V_{CEQ} = 3.4V$

Find $A_v = \frac{V_o}{V_i}$, R_i , R_o , $A_i = \frac{I_o}{I_i}$

AC eq. circuit:



$$\Rightarrow A_v = \frac{V_o}{V_s}$$

$$\Rightarrow V_o = (1+\beta) i_b (R_E \parallel R_o) \quad \text{--- (1)}$$

$$\Rightarrow R_{iB} = \frac{V_x}{i_x}$$

$$-V_x + r_{\pi} i_b + (1+\beta) i_b (R_o \parallel R_E) = 0$$

$$R_{iB} = \frac{V_x}{i_x} = r_{\pi} + (1+\beta)(R_o \parallel R_E)$$

$$R_i = R_1 \parallel R_2 \parallel R_{iB} = 22.2 k\Omega$$

$$\Rightarrow v_{in} = \frac{v_s R_i}{R_i + R_s} \quad \text{--- (2)}$$

but we need a relation between i_b and v_s :

KVL :-

$$-v_{in} + r_{\pi} i_b + i_b (1+\beta) (r_o \parallel R_E) = 0 \quad \text{--- (3)}$$

sub (2) in (3) and then in (1)

$$A_v = \frac{v_o}{v_s} = \frac{(1+\beta) (r_o \parallel R_E)}{r_{\pi} + (1+\beta) (r_o \parallel R_E)} \left(\frac{R_i}{R_i + R_s} \right)$$

$$= +0.962$$

$$\approx 1$$