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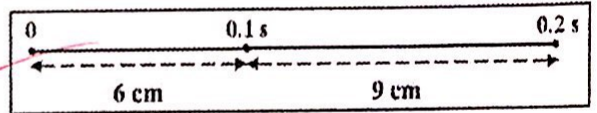
بِسْمِ اللّٰهِ الرَّحْمٰنِ الرَّحِیْمِ

الامام محمد بن  
 سیدنا و آتت نبینا  
 الفین ازامتت صبرا

Name (in Arabic): [redacted] No.: [redacted] Section: [redacted]

**\* Rotational Motion**

Q1- The ticker tape shown was obtained for an experiment using a turntable of radius  $R = 10 \text{ cm}$  and a hanging mass  $m_h = 100 \text{ g}$ . The time interval between two successive points is  $0.1 \text{ s}$ , and the acceleration due to gravity is  $980 \text{ cm/s}^2$ .



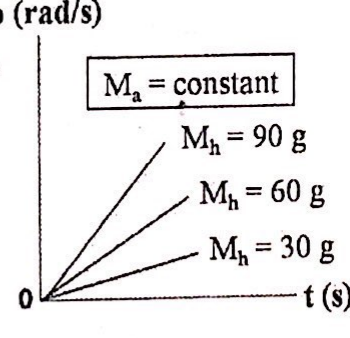
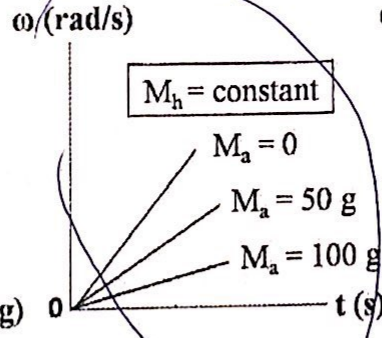
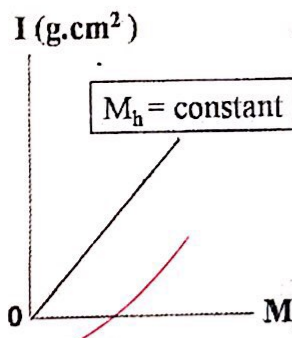
a- The angular acceleration = 30  $\text{rad/s}^2$ .

$30^\circ \rightarrow \alpha = \frac{a_w}{r} \quad \alpha = \frac{v}{r} = 3$

b- The moment of inertia of the turntable = 15.27  $\text{g.cm}^2$ .

$I = \sqrt{\frac{m R^2}{\alpha}} \cdot R^2 \quad v = \frac{9-6}{0.2-0.1}$

Q2- All of the following graphs describe the experiment of rotational motion properly except one: ( $M_h$ : Hanging mass,  $M_a$ : Mass added to the turntable,  $I$ : Moment of inertia of the turntable)



Q3- Justify your answer to Q2 above and correct the wrong graph.

$M_h$  is not constant and the smaller the weight the slope will decrease

**\* Simple Pendulum**

Q4- A pendulum has a length of  $3 \text{ m}$  and executes 20 complete oscillations in 70 s. The acceleration due to gravity at the location of the pendulum is:

- (a) ~~980  $\text{cm/s}^2$~~
- (b) 940  $\text{cm/s}^2$
- (c) 10  $\text{m/s}^2$
- (d) 9.67  $\text{m/s}^2$

Q5- In Q4 above, if the mass of the pendulum bob is doubled, the period will:

- (a) increase.
- (b) decrease.
- (c) remain the same.



Q6- If we plot Log L versus Log T (L is the length of the string and T is the period) to obtain a straight line, the slope will be:

- (a)  $\frac{1}{2}$  (b) 2 (c) -2 (d) -1

Q7- In order to increase the accuracy of the measurement in this experiment,

- (a) increase the length of the pendulum.  
 (b) decrease the mass of pendulum bob.  
 (c) increase the number of oscillations for which the time is measured ✓  
 (d) decrease the number of oscillations for which the time is measured

**\* Ballistic Pendulum**

Q8- A  $0.05 \text{ kg}$  bullet with velocity  $150 \text{ m/s}$  is shot into a  $3 \text{ kg}$  ballistic pendulum of  $1 \text{ m}$  length. When the bullet hits the pendulum it swings up from the equilibrium position and reaches an angle  $\phi$  at its maximum. Find how high the pendulum rises after the bullet gets stuck inside ( $g = 9.8 \text{ m/s}^2$ ).

- (a) 0.31 cm (b) 0.31 m (c) 0.31 mm (d) 310 cm

Q9- Determine the angle  $\phi$  in Q8 above.

- (a)  $46^\circ$  (b)  $40^\circ$  (c)  $30^\circ$  (d)  $90^\circ$

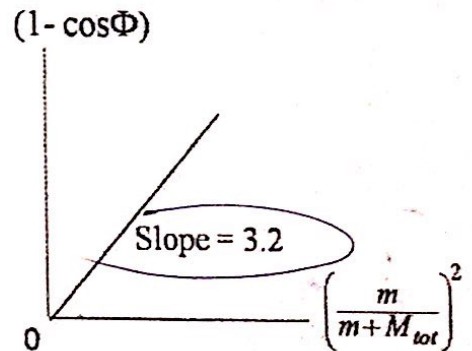
Q10- The collision between the bullet and the pendulum in Q8 above is:

- (a) inelastic. (b) perfectly elastic. (c) perfectly inelastic.

Q11- A plot of  $(1 - \cos\Phi)$  versus  $\left(\frac{m}{m + M_{tot}}\right)^2$  is shown, where m

is the mass of a steel ball projected horizontally into the ballistic pendulum,  $M_{tot}$  is the total mass of the pendulum (mass of the pendulum + added mass), and  $\Phi$  is the maximum deflection of the pendulum. The pendulum has a length of  $25 \text{ cm}$ . If the speed of the ball before collision is  $4 \text{ m/s}$ , the acceleration due to gravity at the location of the pendulum is:

- (a)  $10 \text{ m/s}^2$  (b)  $9.4 \text{ m/s}^2$  (c)  $9.6 \text{ m/s}^2$



Q12- In Q11 above, if instead we plot  $(\cos\Phi)$  versus  $\left(\frac{m}{m + M_{tot}}\right)^2$ , the relationship will be:

- (a) nonlinear and direct. (b) nonlinear and inverse.  
 (c) linear and direct. (d) linear and inverse.

**ALL THE BEST**