

Q # 1 (22)	*Q # 2 (15)	Q # 3 (20)	Q # 4 (28)	Q # 5 (28)	GRADE
22	15	15	20	28	100/100

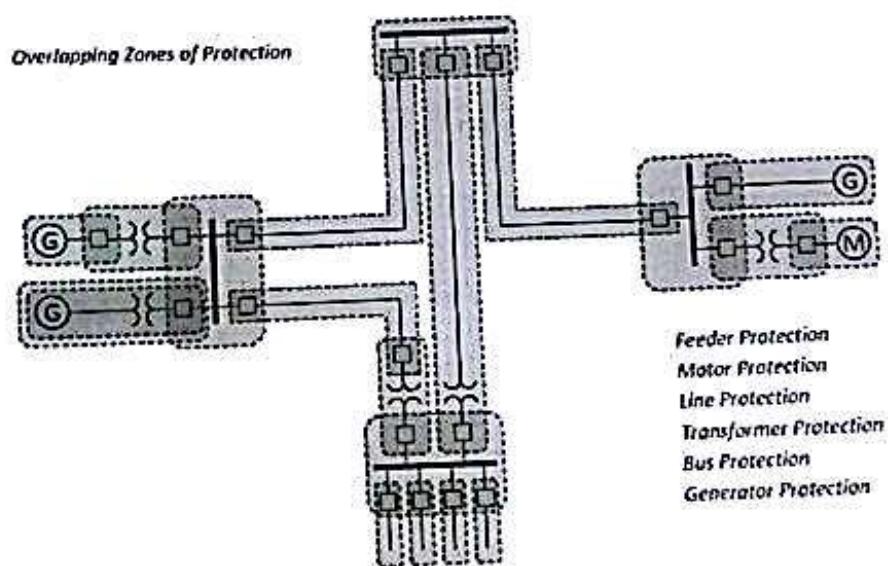
Student Name:

Student ID #:

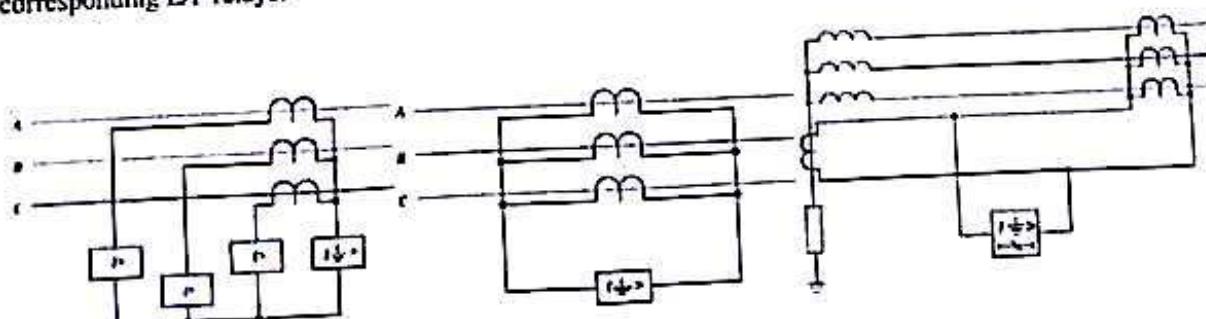
Serial #:

**Question # 1 (22 points)**

Draw the protection zones for the following power system shown below taking into consideration zones overlaps.

**Question # 2 (15 points)**

Draw three protections schemes for detecting earth faults showing the connections of CTs and the corresponding E/F relays.



# Power Unit

**Question # 3 (15 points)**

The circuit shown below has 500:5 class C100 CTs. Given the following:

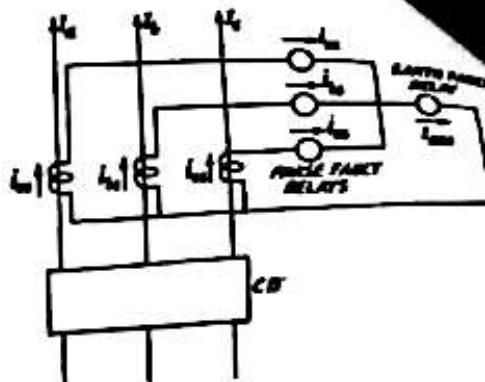
$$\text{CT Winding Resistance } R_C = 0.342 \Omega$$

$$\text{Burden resistance for phase relay } R_{ph} = 0.50 \Omega$$

$$\text{Burden resistance for E/F relay } R_E = 0.59 \Omega$$

$$\text{Lead Resistance } R_L = 0.224 \Omega$$

For a line to ground fault on the line, with a fault current magnitude  $I_{LG}$  of 6000 A and a three fault on the lines, with fault current magnitude  $I_{LLL}$  of 9000 A, determine:



a.	the LG fault current seen by the secondary of the CT, $I_{LGs}$	$I_{LGs} = 60$	A
b.	the LLL fault current seen by the secondary of the CT, $I_{LLLs}$	$I_{LLLs} = 90$	A
c.	the CT secondary voltage for line to ground fault on the line, $V_{sLG}$	$V_{sLG} = 112.8$	V
d.	the CT secondary voltage for three fault on the lines, $V_{sLLL}$	$V_{sLLL} = 95.9$	V
e.	Which fault causes CT saturation?	LG      LLLL	

**Solution**

a. Secondary LG Fault Current  $I_{LGs}$

$$I_{LGs} = I_{LG}/CTR = 12000/(500/5) = 6000/100 = 60 \text{ A}$$

b. Secondary LLL Fault Current  $I_{LLLs}$

$$I_{LLLs} = I_{LLL}/CTR = 18000/(100/5) = 9000/100 = 90 \text{ A}$$

$$c. V_{sLG} = I_{LGs} \times (R_c + R_{ph} + R_E + 2 \times R_L) = 60 \times (0.342 + 0.5 + 0.59 + 2 \times 0.224) = 112.8 \text{ V}$$

$$d. V_{sLLL} = I_{LLLs} \times (R_c + R_{ph} + R_L) = 90 \times (0.342 + 0.50 + 0.224) = 95.9 \text{ V}$$

e. The CT saturates in the case of LG fault.

**Question # 5 (28 points) ABET outcome "c" Assessment**

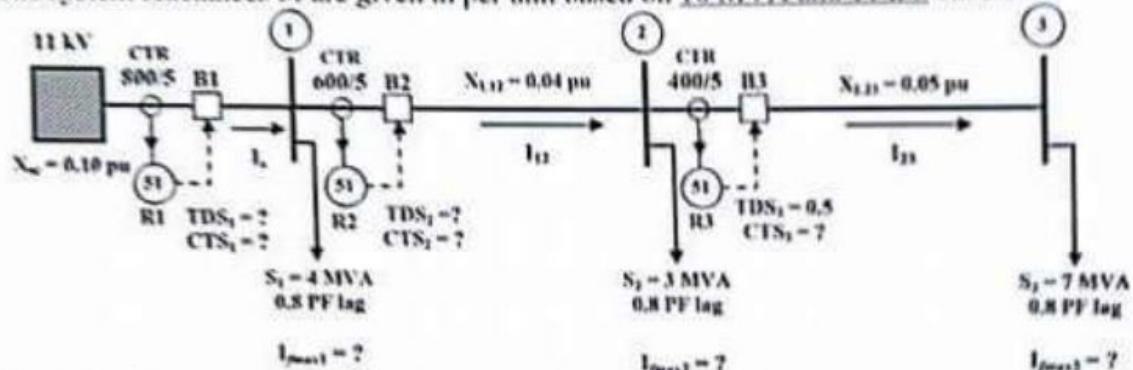
**SHOW YOUR CALCULATIONS**

Consider the 11 kV radial system shown below. The system is supplying its peak load as indicated below. For the above system, an overcurrent protection system has to be designed for three-phase and line-to-line faults. The relays at buses 1, 2, and 3, designated by R<sub>1</sub>, R<sub>2</sub> and R<sub>3</sub> are all CO-7 and moderate inverse overcurrent relay (OCR) whose characteristic equation, current tap settings and time-dial settings are given below:

Current Tap Setting (A)	4	5	6	7	8	10	12
Time Dial Setting	0.5	1	2	3	4	5	6

$$I_p = \left( \frac{0.0515}{\left( \frac{I_f}{I_p} \right)^{0.02}} + 0.114 \right) \times \frac{TDS}{7}$$

The system reactances of are given in per unit based on 10 MVA and 11 kV bases.



Using the following design principles for calculations

1. Start your solution first with the calculations for R<sub>3</sub> with time dial setting TDS<sub>3</sub> = 0.5.
2. For relay X, backing up the next downstream relay Y, relay X must pick up
  - a. For  $2I_{fli} \leq I_{pi} \leq 1/3I_{fmax}$  1/3 of the current seen by Y
  - b. For the maximum current seen by Y but no sooner than 0.4 s after Y should have picked up for that current.

Calculate:

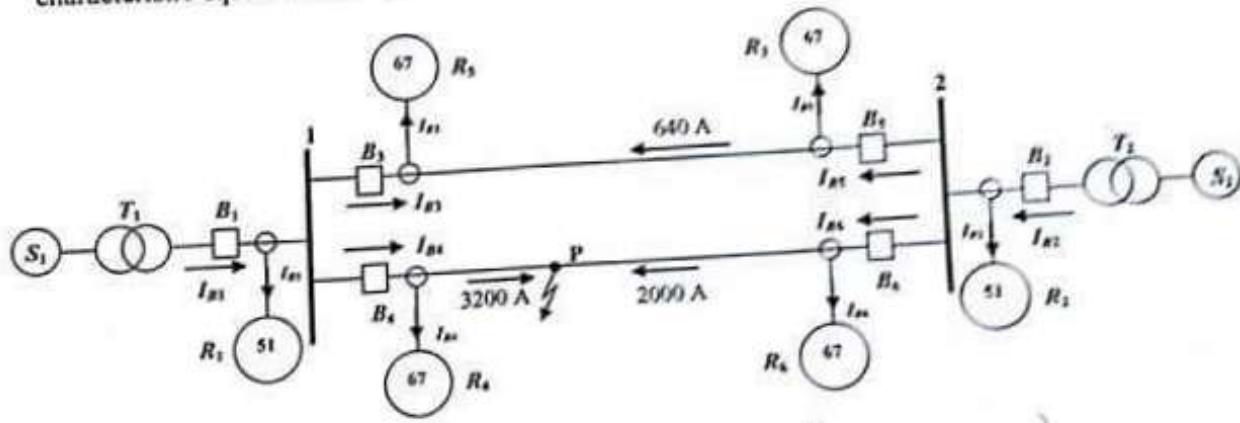
a.	the peak load currents $I_{L3}$ , $I_{L2}$ and $I_{L1}$ in Ampere.	$I_{L3} = 367$ $I_{L2} = 158$ $I_{L1} = 210$
b.	the line currents $I_{23}$ , $I_{12}$ and $I_1$ in Ampere.	$I_{23} = 367$ $I_{12} = 524$ $I_1 = 735$
c.	the maximum fault current at buses 3, 2 and 1 $I_{fmax3}$ , $I_{fmax2}$ and $I_{fmax1}$ in Amperes.	$I_{fmax3} = 2762$ $I_{fmax2} = 3749$ $I_{fmax1} = 5249$
d.	the actual current tap setting CTS <sub>3</sub> , CTS <sub>2</sub> and CTS <sub>1</sub> of the relay according to the standard current settings of the relay given in the Table above. The relay must pickup and operate for all currents that are $2I_{fli} \leq I_{pi} \leq 1/3I_{fmax}$ .	$CTS_3 = 8$ $CTS_2 = 8$ $CTS_1 = 10$
e.	The actual time dial settings TDS <sub>2</sub> and TDS <sub>1</sub> according to standard time dial settings of the relay given in the Table above.	$TDS_3 = 0.5$ $TDS_2 = 2$ $TDS_1 = 3$

**Question # 4 (20 points) ABET outcome "f" Assessment**

**SHOW YOUR CALCULATIONS**

The power network shown below is protected using 6 non-directional and directional over current relays (OCR). The system is subjected to a 3-phase fault at phase A of one of its lines. The phase-A currents flowing during the fault are illustrated in the figure. Study the response of all phase relays for all units, then

- specify the ANSI relay code of the relays  $R_1$ ,  $R_2$ ,  $R_3$ ,  $R_4$ ,  $R_5$  and  $R_6$ .
- determine the primary fault current  $I_{B1}$ ,  $I_{B2}$ ,  $I_{B3}$ ,  $I_{B4}$ ,  $I_{B5}$  and  $I_{B6}$  flowing through each breaker.
- calculate the secondary fault current seen by each relay  $I_{R1}$ ,  $I_{R2}$ ,  $I_{R3}$ ,  $I_{R4}$ ,  $I_{R5}$  and  $I_{R6}$ .
- specify the relays that will trip ( $T$ ) and that will block ( $B$ ) its operation (Use a tick mark  for either tripping or blocking operation.).
- For the relays that will issue a **TRIP** signal, determine its operating time  $t_i$ . The inverse time characteristic equation of the **CO-8 relay** is given by:



$$t_i = \left( \frac{5.95}{\left( \frac{I_{Pj}}{I_{Pi}} \right)^2 - 1} + 0.18 \right) \times TDS_i$$

Relay	$I_{Bi}$ (A)	CTR	$I_{Bi}$ (A)	OCR <sub>i</sub> Code	Signal		Phase Relays		
					T	B	$CTS_i$ (A)	TDS <sub>i</sub>	$t_i$ (s)
B1	2560	800:5	16	51	<input checked="" type="checkbox"/>		6	4	4.61
B2	2640	800:5	16.5	51	<input checked="" type="checkbox"/>		6	4	4.35
B3	-640	400:5	-8	67		<input checked="" type="checkbox"/>	5	3	-
B4	3200	400:5	40	67	<input checked="" type="checkbox"/>		5	3	0.82
B5	640	400:5	8	67	<input checked="" type="checkbox"/>		5	3	11.98
B6	2000	400:5	25	67	<input checked="" type="checkbox"/>		5	3	1.28