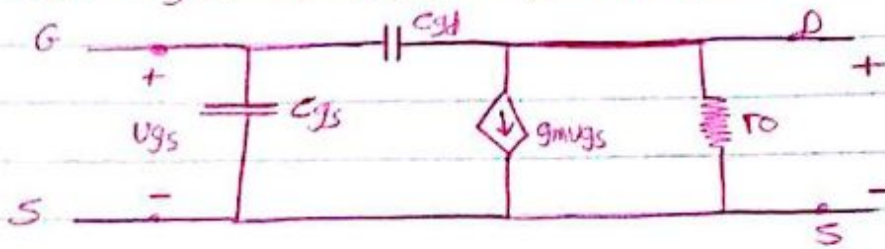


* High Freq Model of MOSFET.

17/8/20

⇒ The small signal AC model of n MOSFET is:



* C_{gs} & C_{gd} are order of magnitude less than C_{π} & C_{μ} of the BJT.

* EX: obtain the short ckt current gain for a common-source transistor amplifier, then plot the Bode Diagram (see book)

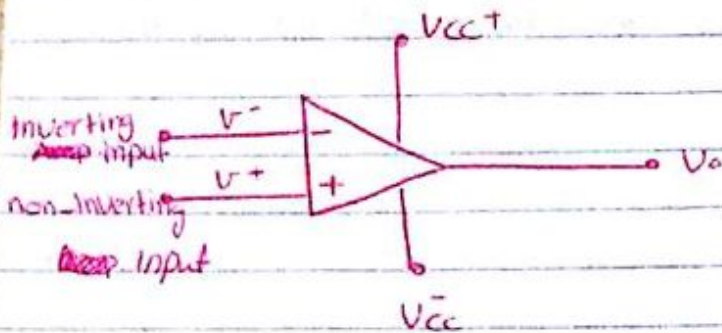
(55)

* ch 9: the operational Amplifier (op-amp)

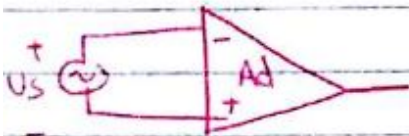
↳ The name operational Amp. stemmed from the early use of it in performing mathematical operation such as: addition, subtraction, differentiation and integration

* It is a 2 - ~~input~~, 1 - output device

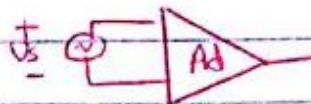
$$V_o = A_d (V^+ - V^-), A_d \gg 1$$



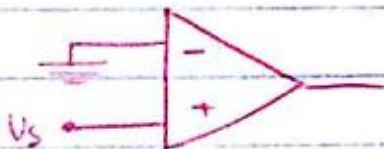
* EX:



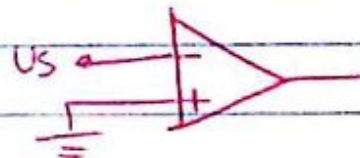
$$V_o = A_d \cdot U_s$$



$$V_o = A_d (-U_s) \\ = -A_d U_s$$

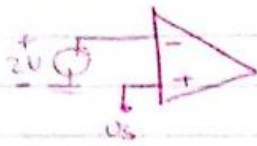


$$V_o = A_d (U_s - 0) \\ = A_d U_s$$



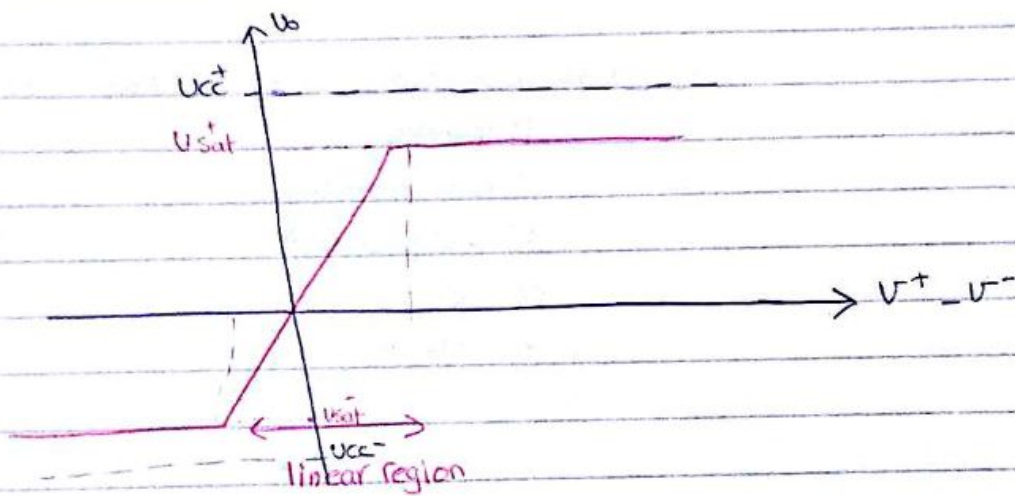
$$V_o = -A_d U_s$$

(56)



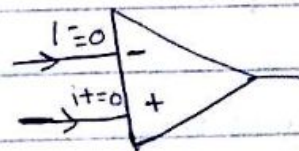
$U_o = \text{undetermined}$

$U_o = A_d (U_s - 2)$

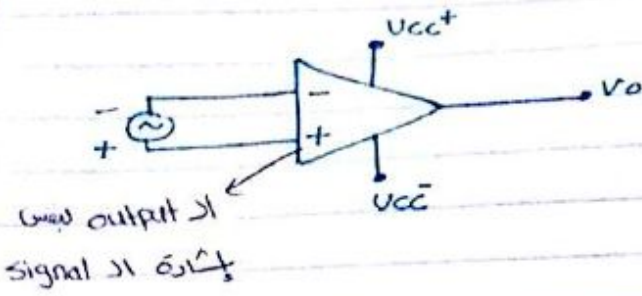


* Ideal characteristics of an op-amp:

- 1) It has very high voltage gain $\rightarrow A_d = \infty$
- 2) " " " " Input Resistance $R_i \approx \infty \Omega$
- 3) " " " " low output $\rightarrow R_o \approx 0 \Omega$
- 4) The input currents i^+ & i^- are considered 0.
- 5) $V^+ - V^- = 0$.



(57)



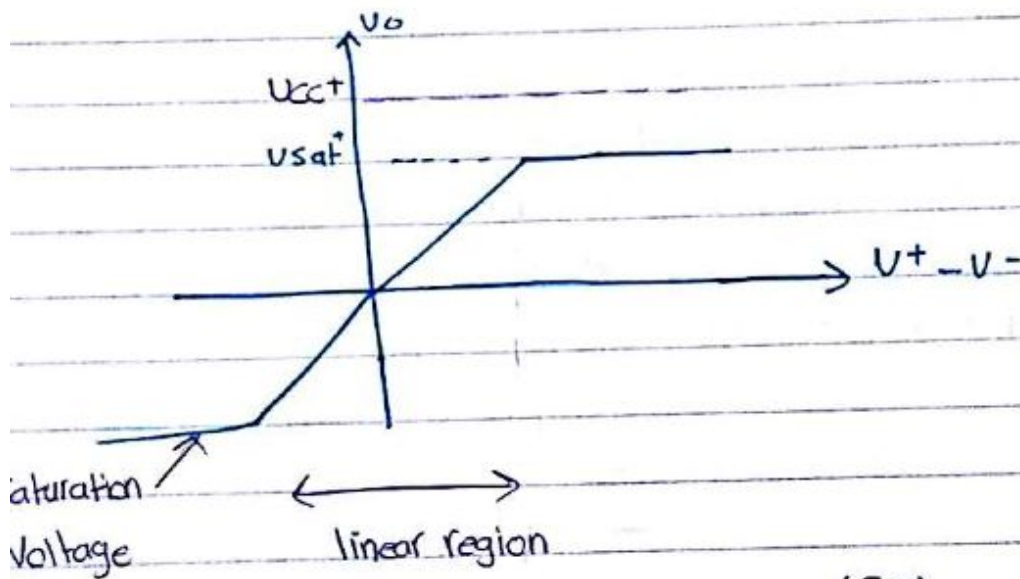
$$V_o = A_d (V^+ - V^-) = A_d V_s$$

* Amplifier علاقة

* است op-Amp على التالي مواضع :

- ① Inverting
- ② non Inverting
- ③ output V_o
- ④ V_{cc}^+
- ⑤ V_{cc}^-

* است Amplifier في علاقة I/P مع o/p في linear

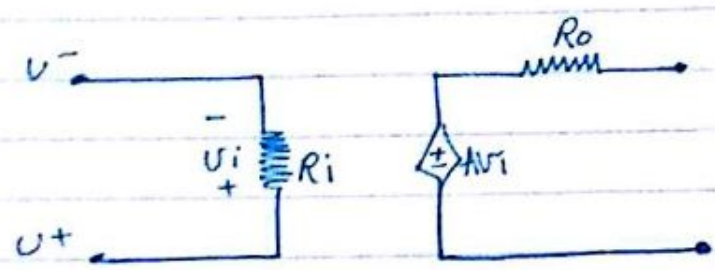


* op-amp → linear regi

* $A_d \rightarrow +ve \approx 10^5$

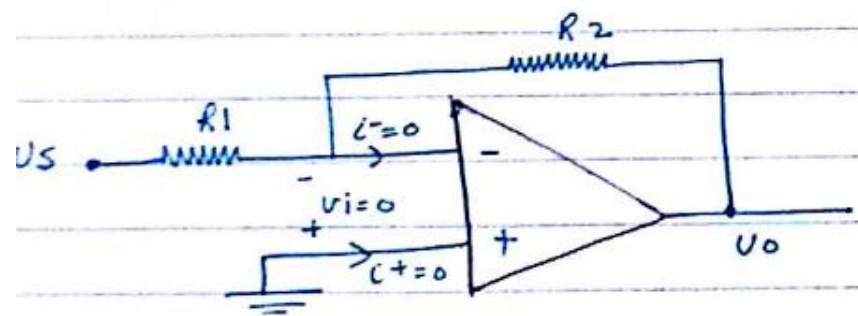
* op-amp CKT :->

↳ The Relationships are obtained using the ideal-op amp characteristics.



(Practical op-amp model)

↳ The Inverting Amplifier :->

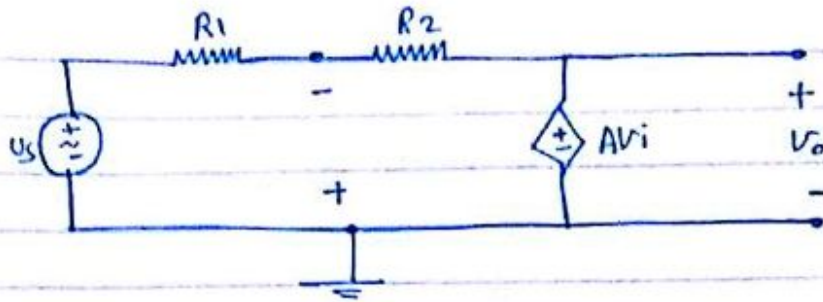


و ان Vcc موجود ہے
کامیاب

$v^+ - v^- = 0 \rightarrow$ stick then return

$I^- = I^+ = 0$

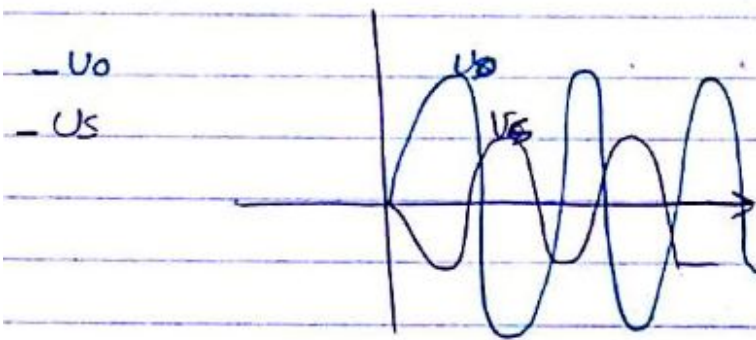
داتا بنکتہ



* Kcl @ Inverting node :

$$\frac{U_s - U^-}{R_1} = I^- + \frac{U^- - V_o}{R_2}$$

$$\frac{V_o}{U_s} = -\frac{R_2}{R_1} *$$

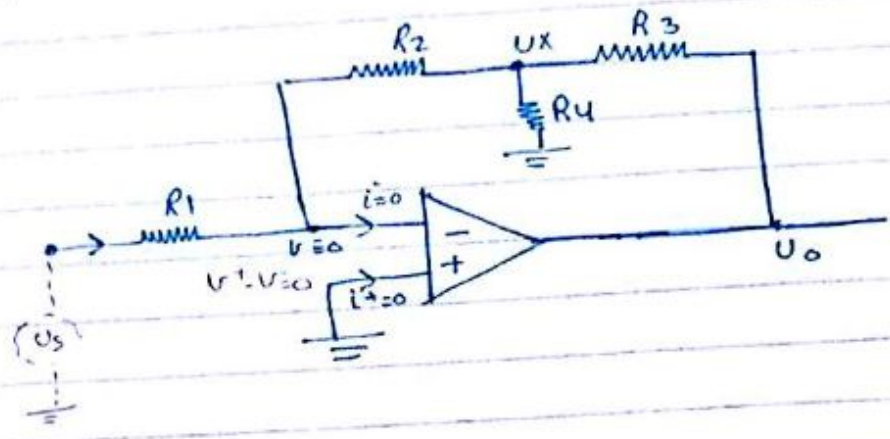


* Inverting \rightarrow 180° phase shift
($\bar{a}l^{\wedge} \nu_1 \nu \bar{a}l$)

* a price paid for this magic configuration is that the input Resistance of the overall Amplifier ckt is known lowered to the value of R_1 .

(60)

* The Network Amplifier



* Dis :
 - Trouble shooting
 - الوزن والحجم ولعبر
 الخفيرة اكثر

$$\frac{U_s}{R_1} = 0 + \frac{0 - U_x}{R_2} \Rightarrow U_x = \frac{-R_2}{R_1} U_s$$

$$\frac{-U_x}{R_2} = \frac{U_x}{R_4} + \frac{U_x - U_o}{R_3}$$

$$\frac{U_o}{R_3} = \left[\frac{1}{R_2} + \frac{1}{R_3} + \frac{1}{R_4} \right] U_x$$

$$\frac{U_o}{R_3} = \frac{-R_2}{R_1} \left[\frac{1}{R_2} + \frac{1}{R_3} + \frac{1}{R_4} \right] U_s$$

$$\left[\frac{U_o}{U_s} = \frac{-R_2}{R_1} \left[1 + \frac{R_3}{R_2} + \frac{R_3}{R_4} \right] \right] \text{ * gain}$$

(61)

* الكفاءة الی T-Network بخطی مودلة أكثر وبتسمح انه یزید R_i حتی یزید
 Input-Resistance وبتقلل ما یقلل ان gain یسبب وجود الحد $\left[1 + \frac{R_3}{R_2} + \frac{R_3}{R_4}\right]$

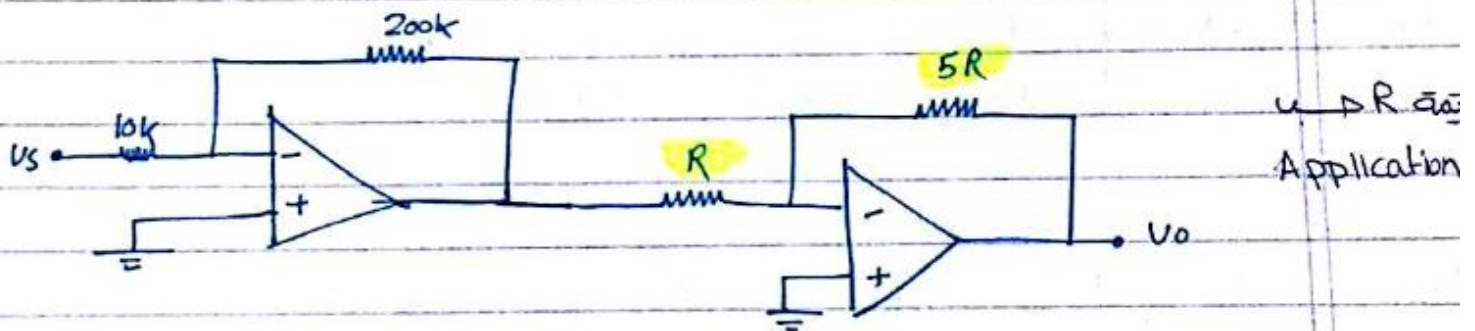
⇒ This ckt permits the use of a high value for R_1 to increase the input resistance without the specific at a lower gain.

* The overall gain is raised through the multiply factor

$$\left[1 + \frac{R_3}{R_2} + \frac{R_3}{R_4}\right]$$

* EX: Design an Amplifier ckt at gain = +100.

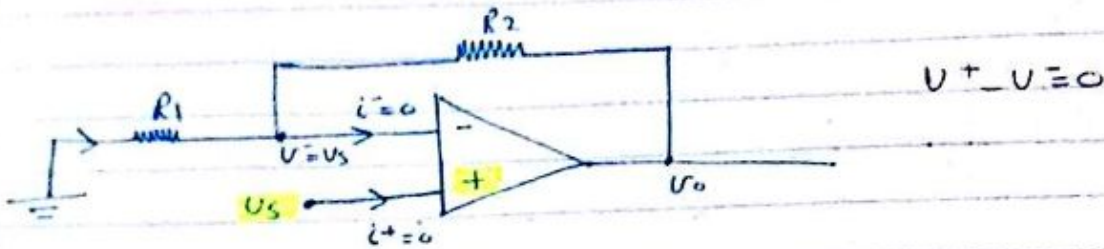
→ sol: using 2 Amplifiers in cascade.



$$V_o = -20 \times -5 \times V_s = 100V_s$$

↳ DisAdvantage: using 2-op Amps $\xrightarrow{جدا}$ non Inverting.
 (62)

* The Non-Inverting Amplifier :->



$$\frac{0 - U_s}{R_1} = 0 + \frac{U_s - U_o}{R_2}$$

$$\frac{U_o}{R_2} = \left[\frac{1}{R_1} + \frac{1}{R_2} \right] U_s \Rightarrow \frac{U_o}{U_s} = \left[1 + \frac{R_2}{R_1} \right] = \frac{R_1 + R_2}{R_1}$$

ما في Inversion (الـ) يعني الإشارة كما هي

* Advantages:

① i.e: No sign Inversion

gain زياد مقدار 1 فقط

② It has very high Input Resistance

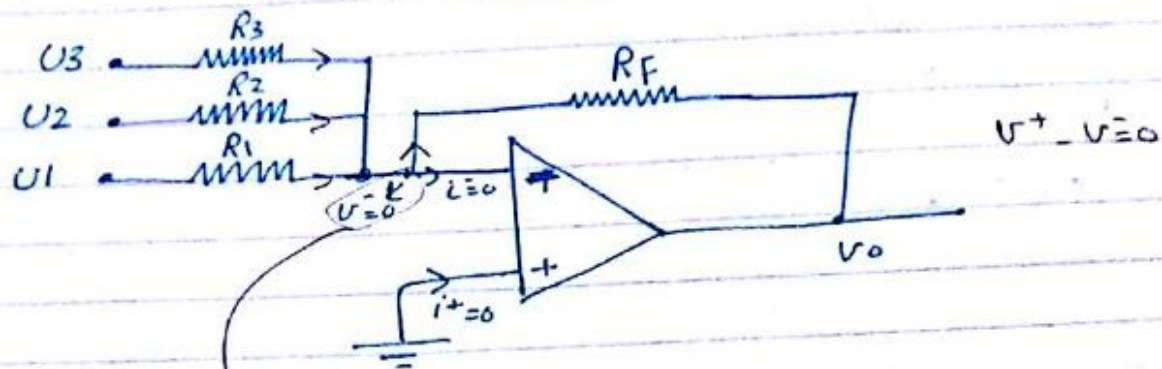
③ Very low output Resistance

* 2. additional advantages for the non-inverting Amp; ② & ③ -

=> making it an ideal Voltage Amplifier

*EX: الإنبات

* The Summing Amplifier :



@ virtual ground

i.e.: having the same voltage as, yet not physically connected.



hence, the name is virtually ground.

* It can be show that:

$$* V_0 = - \left[\frac{R_F}{R_1} U_1 + \frac{R_F}{R_2} U_2 + \frac{R_F}{R_3} U_3 \right]$$

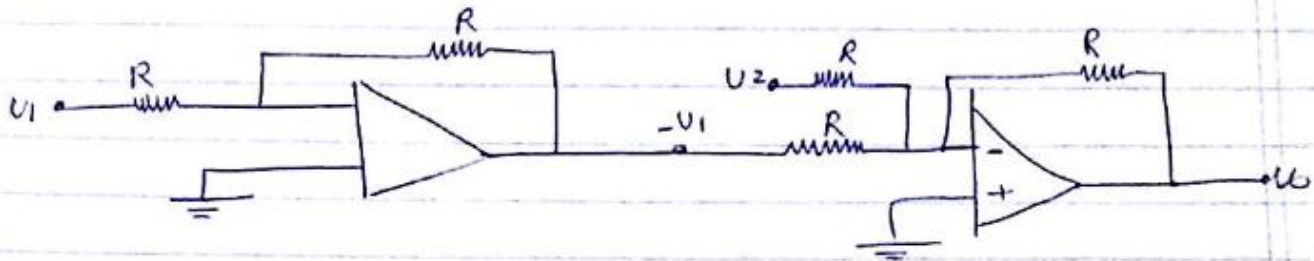


هذه هي hence, the name (Summing Amp or Adding Amp)

(تسمى هذه المذبذبات باسم مضاعف الجمع)

* EX: Design ackt to get $U_1 - U_2$.

$$U_1 - U_2 = - (-U_1 + U_2)$$

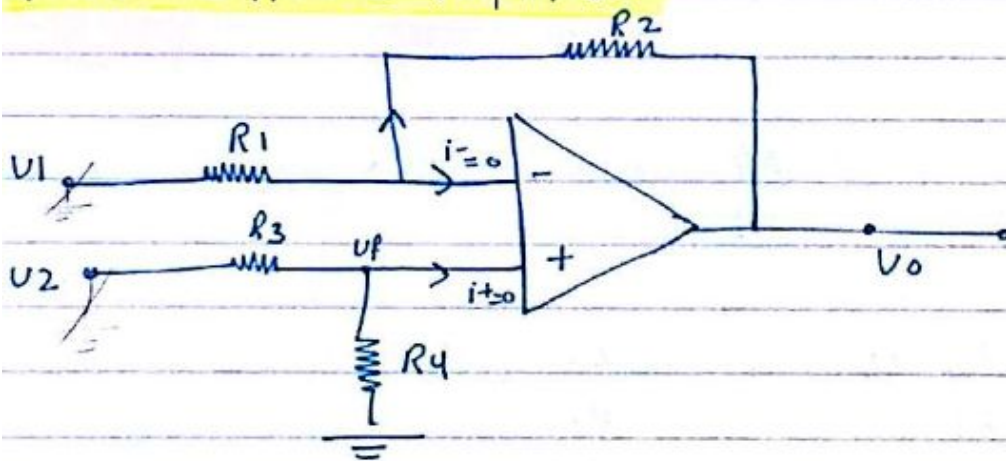


$$U_0 = - [-U_1 + U_2] = U_1 - U_2 \quad \checkmark$$

* Dis: The use of 2 op-amps \rightarrow delay, \rightarrow تأخير
 Troubleshooting, \rightarrow تصحيح

\downarrow sol:

* The Difference Amplifier



$$U^+ - U^- = 0$$

$$U^+ = \frac{R_4}{R_4 + R_3} U_2$$

(65)

* using superposition: (Kill all signals except one of them):

① Kill $U_2 \rightarrow$ Non Inverting

$$U_0 = \left(\frac{1 + R_2}{R_1} \right) \frac{R_4}{R_4 + R_3} U_2$$

② Kill $U_1 \rightarrow$ Inverting

$$U_0 = -\frac{R_2}{R_1} U_1$$

\Rightarrow Total:

$$U_0 = \left(1 + \frac{R_2}{R_1} \right) \frac{R_4}{R_4 + R_3} \cdot U_2 + \frac{-R_2}{R_1} U_1$$

$$= \left(\frac{R_1 + R_2}{R_1} \right) \left(\frac{R_4}{R_4 + R_3} \right) U_2 + \frac{-R_2}{R_1} U_1$$

\rightarrow IF $R_1 + R_2 = R_3 + R_4$ & $\frac{R_4}{R_4}$ $R_2 = R_4$ & $R_1 = R_3$.

$$U_0 = \frac{R_4}{R_1} U_2 - \frac{R_2}{R_1} U_1 = \frac{R_2}{R_1} (U_2 - U_1) \rightarrow$$

تفاوت دو بزرگ
از آنجا که بزرگتر
بتواند $R_2 = R_1$

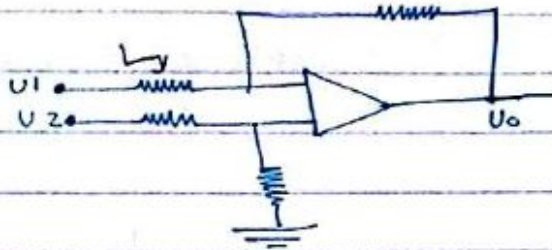
(66)

* An Advantage of a difference Amplifier is its ability to cancel common-mode noise signals



تتكرر في Input و ال noise معاً

⇒ Common-mode: Signal مشتركة \rightarrow noise في U_1 و U_2 معاً



$U_n = \text{noise } V_o$

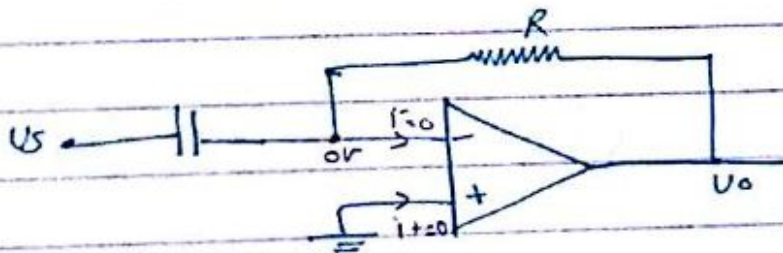
* let $U_1 = U_{s1} + U_n$

$U_2 = U_{s2} + U_n$

$$V_o = \frac{R_2}{R_1} (U_{s2} + U_n - U_{s1} - U_n) = \frac{R_2}{R_1} (U_{s2} - U_{s1})$$

لأن ال difference Amp تتكرر ال noise للأولى والثانية لكن يتوسط الفرق \rightarrow يلغوا
 noise \rightarrow عشان هيك تتكرر ADV

* The Differentiator circuit (p652)



$V^+ - V^- = 0$

(67)

→ Using KCL:

$$C \frac{d}{dt} (U_s - 0) = 0 + \frac{0 - V_o}{R}$$

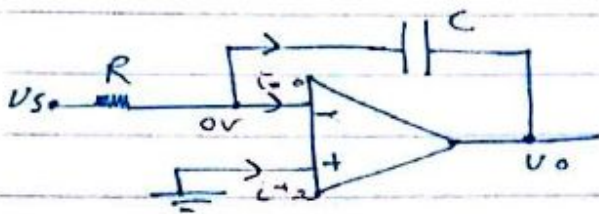
$$C \frac{dU_s}{dt} = -\frac{V_o}{R} \Rightarrow V_o = -RC \frac{dU_s}{dt}$$

$$\left[V_o = -RC \frac{d}{dt} U_s \right]$$

Amplification \rightarrow RC
Inversion \rightarrow

قيمة C ضاربا في R أو أقل

* The Integrator circuit:



$$U^+ - U_s^- = 0$$

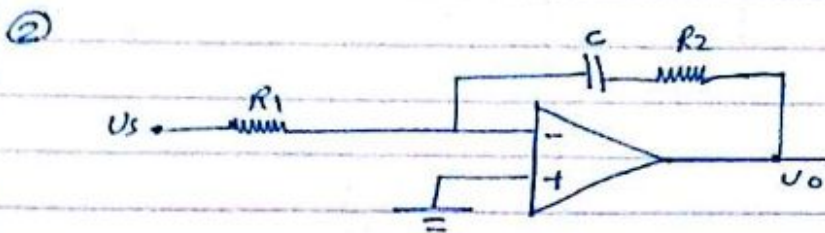
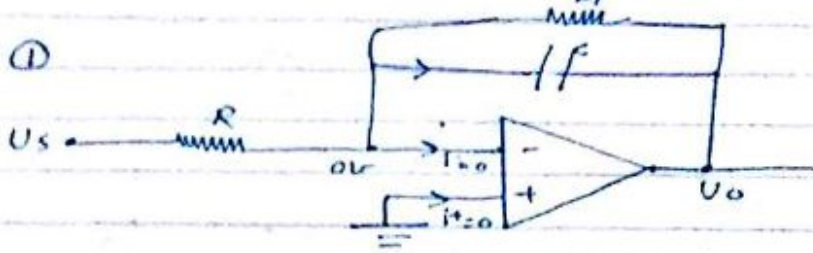
$$\frac{U_s - 0}{R} = 0 + C \frac{d}{dt} (0 - V_o)$$

$$\frac{-1}{RC} U_s = \frac{d}{dt} V_o \Rightarrow \left[\frac{-1}{RC} \int U_s dt = V_o \right]$$

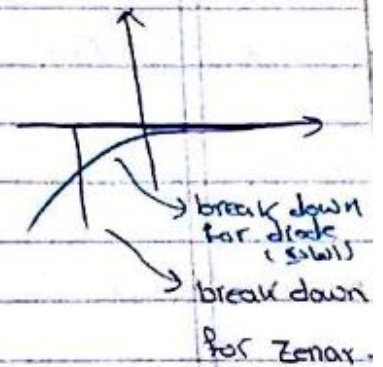
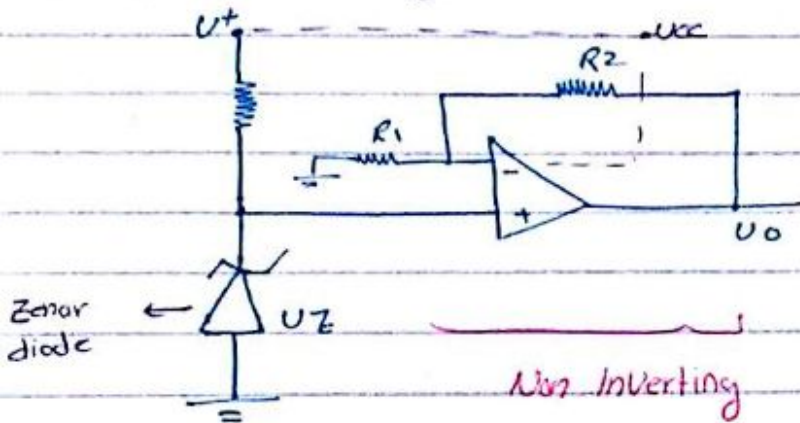
* علاقة الـ RC مع الـ RC ← Integrations ← مقدار الـ RC = 1 ← (إذا ما بيننا ذكر)

(68)

* Example: obtain the output voltage for the following ckt:



* Reference Voltage source (P661)



* Assuming the Zener is in Breakdown:

$$* V_o = \left(1 + \frac{R_2}{R_1} \right) U_Z$$

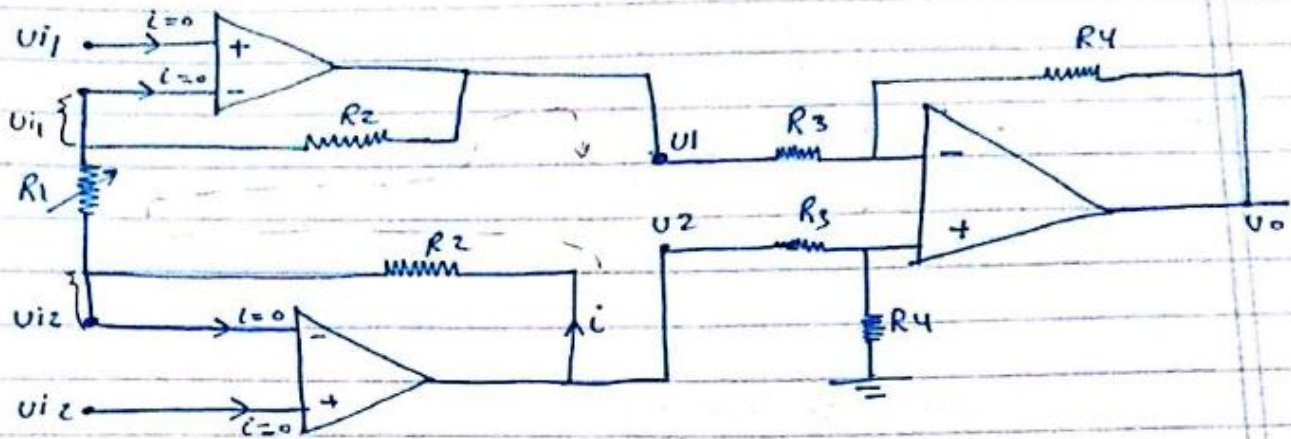
(69)

↓

U^+ has to be greater than U_Z .

* The Instrumentation Amplifier CP6501

with the gain less noise



i/p (non inverting)

o/p (difference)

$$V_o = \frac{R_4}{R_3} (U_2 - U_1)$$

$$U_2 = R_2 i + R_1 i + R_2 i + U_1$$

$$U_2 - U_1 = (R_1 + 2R_2) i$$

$$i = \frac{U_{i2} - U_{i1}}{R_1}$$

$$\Rightarrow V_o = \frac{R_4}{R_3} \left(\frac{R_1 + 2R_2}{R_1} \right) (U_{i2} - U_{i1})$$

$$\Rightarrow V_o = \frac{R_4 (R_1 + 2R_2)}{R_3 R_1} (U_{i2} - U_{i1})$$

(FO)

$$[U_0 = \frac{R_4}{R_3} \left(1 + \frac{2R_2}{R_1} \right) (U_{i2} - U_{i1})]$$

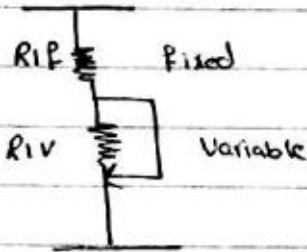
← U_0

← يتحكم في $gain$

في لو أننا $\frac{R_4}{R_3}$ وقررا متحكم في $gain$ ما
 خلال $\frac{R_2}{R_1}$ ← نثبت R_2 أو R_1 ويغير
 الثاني ← الآخر أثبت R_2 لأنه
 مستخدمة مرتين في الوصلة ولذا يكون
 التغيير متساوي على النسبة لذلك نحل
 بغير R_1 .

** Gain is varied by R_1 .

$R_1 \Rightarrow$



نضبطها إلى مقاومتينا وحدة
 كأننا وحدة متغيرة.

(71)

* Example: Design an IA (Instrumentation Amplifier) with gain Ranges from 12 to 810. use $R_4 = 10$, $R_U = 50k\Omega$.

Sol:
$$\frac{U_0}{U_2 - U_1} = \frac{R_4}{R_3} \left(1 + \frac{2R_2}{R_1} \right)$$

$$12 = 10 \left(1 + \frac{2R_2}{R_P + R_U} \right) \quad \text{--- ①}$$

بختار قيمة R_2 بحيث المعادلة تكون أقل من الثانية (القيمة التي أكبر)

$$810 = 10 \left(1 + \frac{2R_2}{R_P} \right) \quad \text{--- ②}$$

($R_U = 0$) R_P هو R_1 قيمة 50

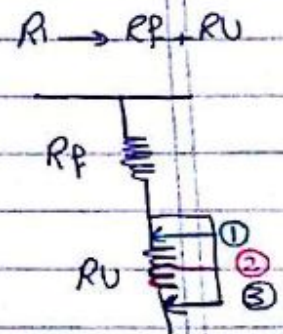
$$12 = 10 \left(1 + \frac{2R_2}{50 + R_P} \right)$$

⇒ From ①:

$$2 = \frac{20R_2}{R_P + 50} \Rightarrow R_P + 50 = 10R_2$$

⇒ From ②:

$$800 = \frac{20R_2}{R_P} \Rightarrow 400R_P = 10R_2$$



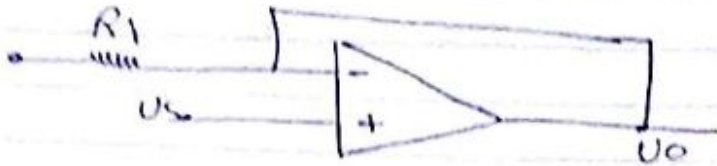
ممكن أن يكون R_U ليس له أي مقدار
لأنه مأخوذ من R_U مثلا الحالة
① R_U حالة ② الجزء ليزني
③ ولا جزء $R_U = 0$
(Short ckt جزأه)



(72)

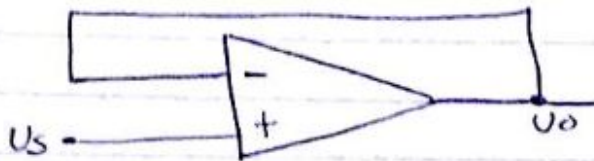
* Solution # 2 :

$$R_2 = 0 \Omega, R_1 \neq 0 \Omega$$



* Solution # 3 :

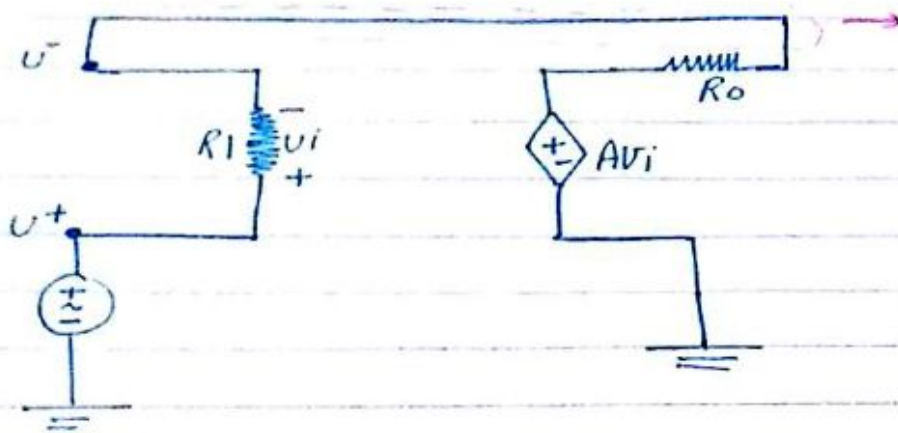
$$R_2 = 0 \Omega, R_1 = \infty \Omega$$



Although this simple ckt it has a voltage gain = 1, it has very high input resistance and very low output resistance, to prove this, consider the practical op-amp model.

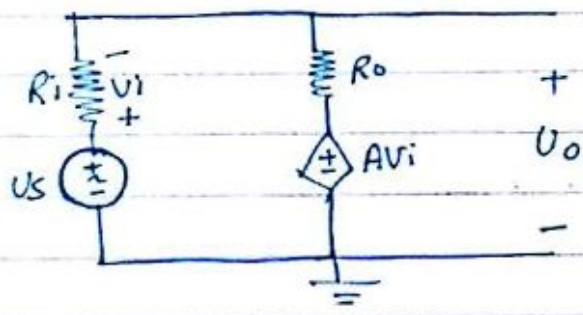
(74)

A practical op-amp:



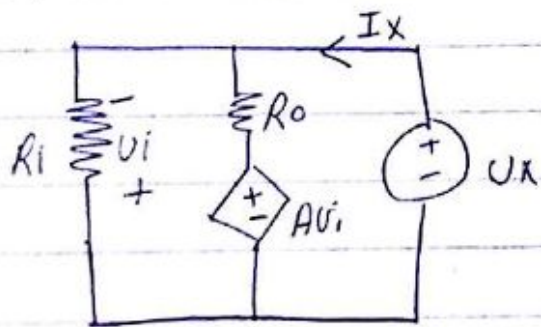
output Res. = R_o

* Input R for op-amp = R_i



calculate the output Resistance :

(Kill U_s and add U_X)



$$R_o = \frac{U_X}{I_X} \rightarrow \boxed{U_i = -U_X}$$

$$I_X = \frac{U_X - A v_i}{R_o} + \frac{-v_i}{R_i}$$

$$I_X = \left[\frac{1}{R_o} + \frac{A}{R_o} + \frac{1}{R_i} \right] U_X$$

(75)

$$\frac{1}{R_o} = \frac{I_x}{U_x} = \frac{1+A}{R_o} + \frac{1}{R_i}$$

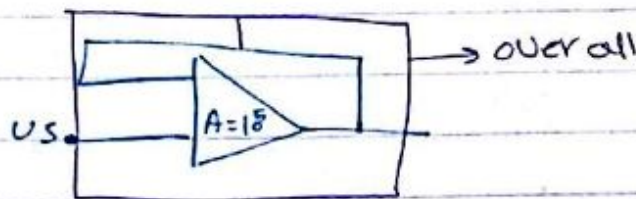
$$\Rightarrow R_o = R_i \parallel \frac{R_o}{1+A} \approx \frac{R_o}{1+A} \text{ Very extremely low}$$



Suitable for a voltage buffer.

* overall gain of the ckt = $A = 1$ (∴ $|B| = |H|$)

* Gain of op-amp = 10^5 .



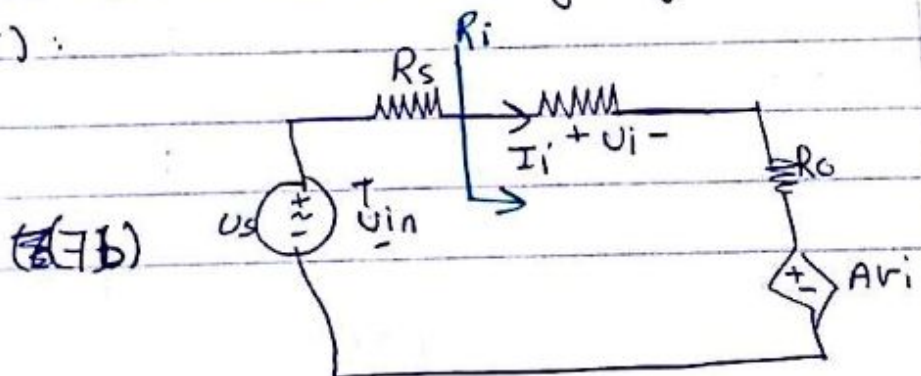
* **EX:** Derive an expression for the **Input Resistance of the ckt.**

⇒ Solution:

It should be extremely high.

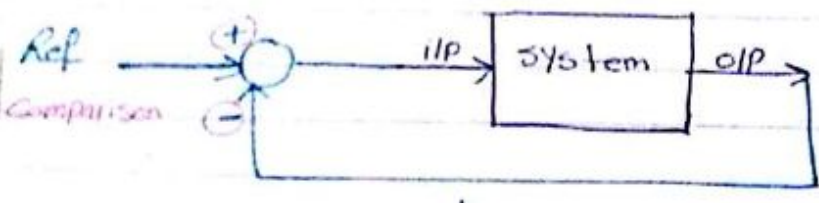
(Using this ckt):

$$R_i = \frac{u_{in}}{I_i}$$



Ch 12: Feedback Amplifier (P. 852)

⇒ a feedback system:



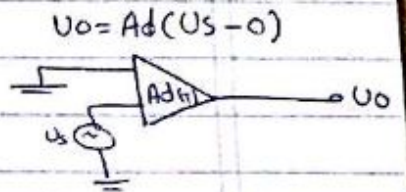
This system has feedback.

Ideal feedback Topologies (P. 863)

Amplifier configurations

4 configurations

(بناءً على i/p و o/p ← voltage or current)
 For both → Application حسب

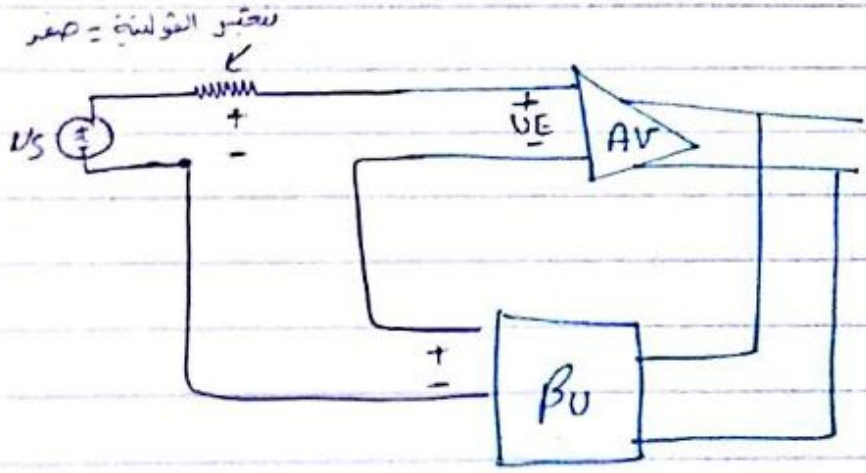


المشكلة أنه (Ad) gain
 يتغير مع درجة الحرارة

$$U_o = Ad(U_s - 0)$$

op- Amp → Voltage Amp

β : factor = constant



$$U_E = U_s - \beta U_o$$

العولمة β في parallel
 نسبة من العولمة التي تستطاع β
 العولمة المطلوبة في أز دجها مستعمل
 ناد i/p و o/p .

(77)

* Shunt \equiv Parallel

* Voltage in series in input but shunt in output

* Current \approx Parallel \approx " \approx Series \approx V
لأنه الأصغر يمشي به التوالي

	i/p		o/p
①	Shunt	—	Shunt
②	Shunt	—	Series
③	Series	—	Series
④	Series	—	Shunt

① Series — Shunt

i/p

o/p

- Comparison

- measurements

- What is added

- what is measured

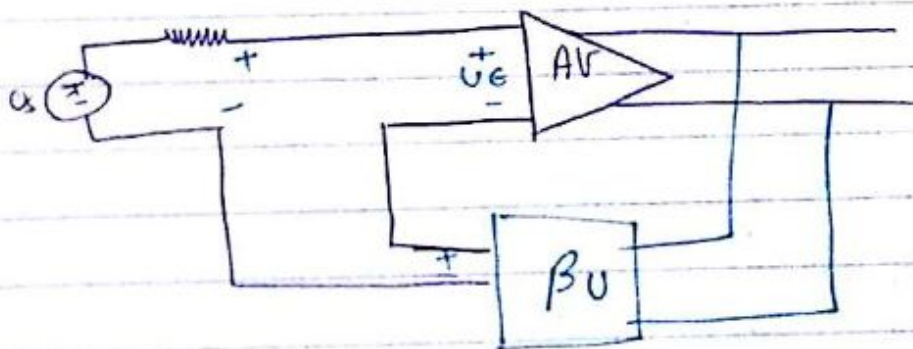
in series?

in shunt?



Voltage

Voltage



$$U_E = U_S - \beta U_o$$

(78)

② Shunt — Series

ilp

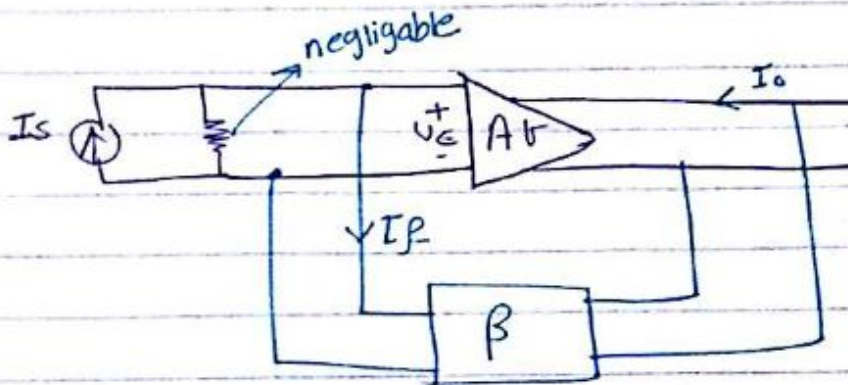
olp

- Comparison

- measurements

- current

- current



$$I_e = I_s - I_f$$

(schematic - electronic Diagram)

* EX: Draw the shunt - shunt & series - series Amplifier configurations?

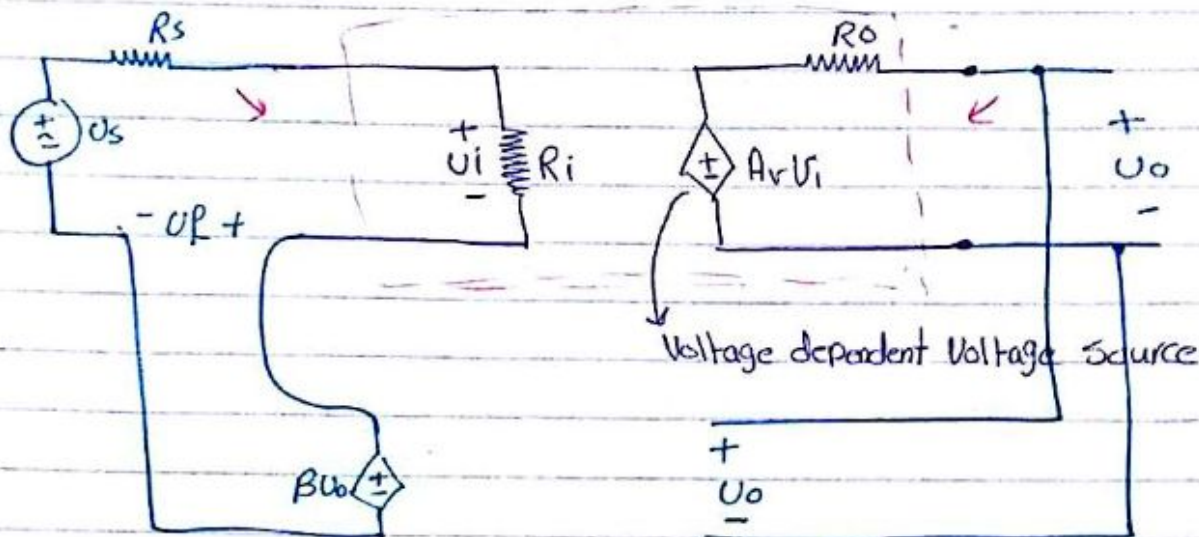
(see book p. 863).

(79)

* Series-shunt Amplifier.

↳ i.e. the output voltage is Adjusted (controlled) by the reference voltage.

(i.e. Configuration shown) open loop Amplifier (without feedback)



(Assume No loading effect (B1 given))

→ Assuming \$U_{Rs}\$ is negligible:

$$U_s = U_i + U_f$$

$$U_i = U_s - U_f$$

$$U_f = \beta U_o = \beta A_r U_i$$

$$\rightarrow U_i = U_s - A_r \beta U_i$$

$$U_i = \frac{1}{1 + A_r \beta} U_s \quad (80)$$

$$V_o = AV_i = \frac{A}{1+AB} V_s$$

$$\left[\frac{V_o}{V_s} = AV = \frac{A}{1+AB} < A \right] \quad \text{Voltage gain (close loop)}$$

⇒ open loop gain = A .

Stability → الثبات

↳ suppose A varies but $AB \gg 1$

$$\left[AV_f = \frac{1}{B} \right]$$

design parameter

So, if $\beta = 0.01 \rightarrow AV_f = 100 \rightarrow$ stable (constant, not varying)

(81)

→ Input Resistance:

$$\begin{aligned} R_{if} &= \frac{V_{if}}{I_e} = \frac{R_i I_e + \beta V_o}{I_e} \\ &= \frac{R_i I_e + \beta A V R_i I_e}{I_e} \\ &= (1 + A\beta) R_i \end{aligned}$$

⇒ $R_{input} = R_i$ → In open loop
Close loop Δ is Δ

* The feedback output Resistor.

→ Assuming a Voltage drop on R_s .

$$V_o = V_x$$

$$I_x = \frac{V_x - A V_e}{R_o}$$

$$V_e + V_f = 0$$

$$V_e = -V_f$$

(82)

$$\begin{aligned}
 V_E &= -V_F \\
 &= -\beta V_o \\
 &= -\beta U_x
 \end{aligned}$$

$$I_x = \frac{U_x + A\beta U_x}{R_o} = \frac{(1+A\beta) U_x}{R_o}$$

$$R_{of} = \frac{U_x}{I_x} = \left(\frac{R_o}{1+A\beta} \right) \rightarrow \text{output Resistance in close loop.}$$

\swarrow
Si

* output Resistance in open loop = R_o

* i.e the output Resistance with feedback have been reduce.

* shunt - shunt.

↓ R_i, R_o

* Si Si Parallel
Series زياد.

* Series - series

↑ R_i, R_o

→ current gain → see book → use RL or short ckt.

* EX: Verify A_{vf} , A_{if} & R_{if} , R_{of} for the remaining
Three Amplifiers configurations:

- ① Shunt - Shunt
- ② Series - Series
- ③ Shunt - Series

(84)

$$\Rightarrow R_F + 50 = 400 R_F \Rightarrow R_F = \frac{50}{399} \text{ k}\Omega \approx 125 \Omega$$

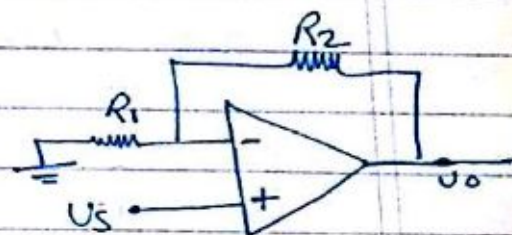
$$R_2 = \frac{R_F + 50}{10} \text{ k}\Omega = \frac{50 + 125}{10} \text{ k}\Omega = 5.0125 \text{ k}\Omega = 5012 \Omega$$

مثال و حل op-amp ، 3 بار *

* Example: A Return to Non-Inverting Amplifier, using:

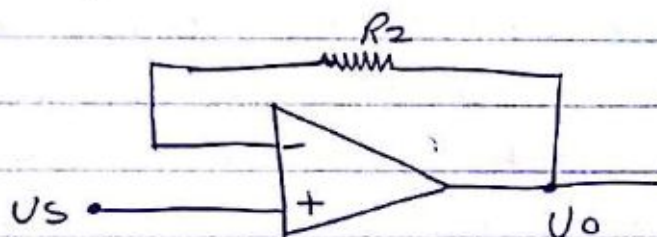
$$\frac{U_o}{U_s} = 1 + \frac{R_2}{R_1} = \frac{R_1 + R_2}{R_1}$$

\Rightarrow choose R_1 & R_2 to get $\frac{U_o}{U_s} = 1$?



Solution #1:

$$R_2 = 0 \Omega, R_1 = \infty \Omega$$



(73)